
TRINITY: Trust, Resilience and Interpretability in AI

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Computer Science Laboratory

SRI

July, 2019

AI reaches human-level accuracy on benchmark datasets

ImageNet Classification with Deep Convolutional Neural Networks. Krizhevsky et al, 2012

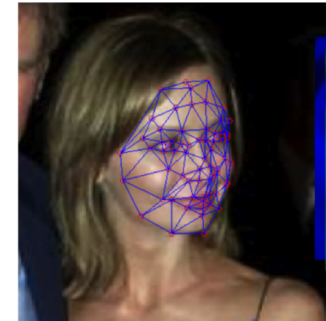
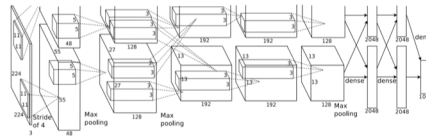


(a) Siberian husky



(b) Eskimo dog

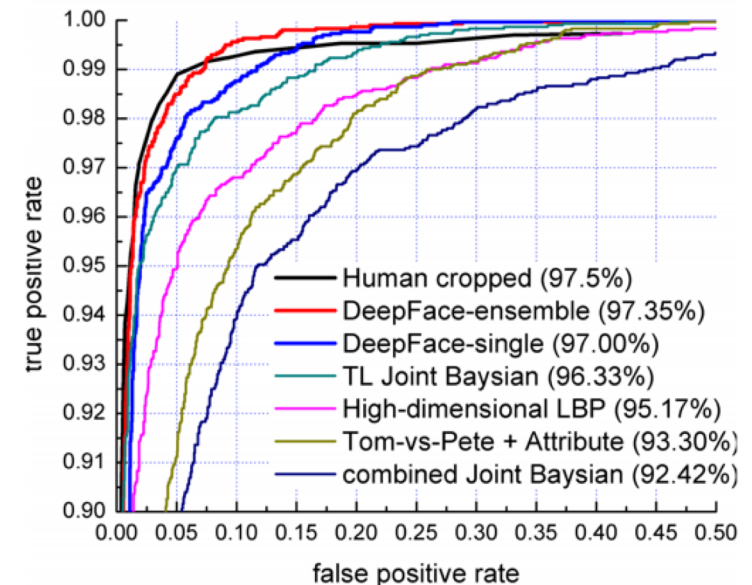
Model	Top-1	Top-5
<i>Sparse coding</i> [2]	47.1%	28.2%
<i>SIFT + FVs</i> [24]	45.7%	25.7%
CNN	37.5%	17.0%



Calista_Flockhart_0002.jpg
Detection & Localization

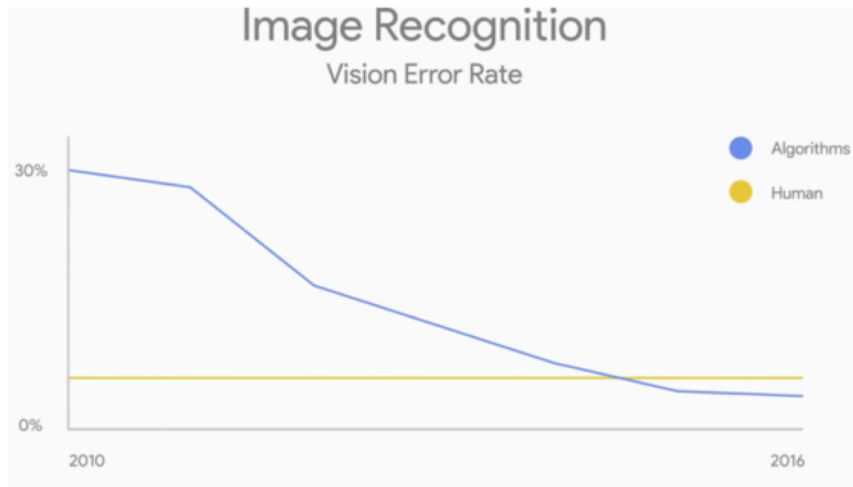
Team	Year	Place	Error (top-5)	Uses external data
SuperVision	2012	1st	16.4%	no
SuperVision	2012	1st	15.3%	Imagenet 22k
Clarifai	2013	1st	11.7%	no
Clarifai	2013	1st	11.2%	Imagenet 22k
MSRA	2014	3rd	7.35%	no
VGG	2014	2nd	7.32%	no
GoogLeNet	2014	1st	6.67%	no

Going deeper with convolutions.
(Inception) C Szegedy et al, 2014

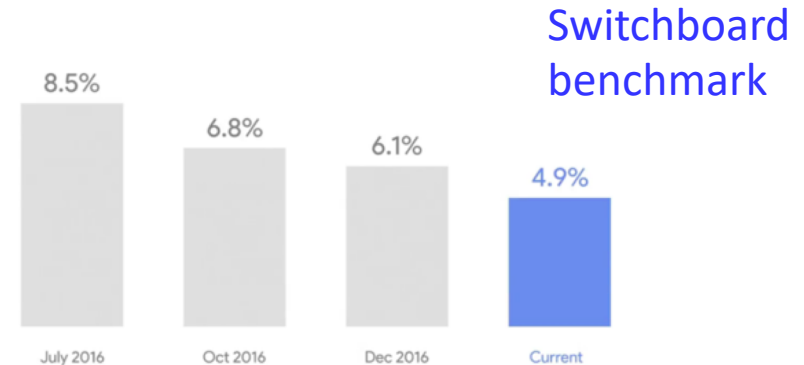


Face Detection. Taigman et al, 2014

AI reaches human-level accuracy on benchmark datasets



Speech Recognition
Word Error Rate



Google I/O, 2017

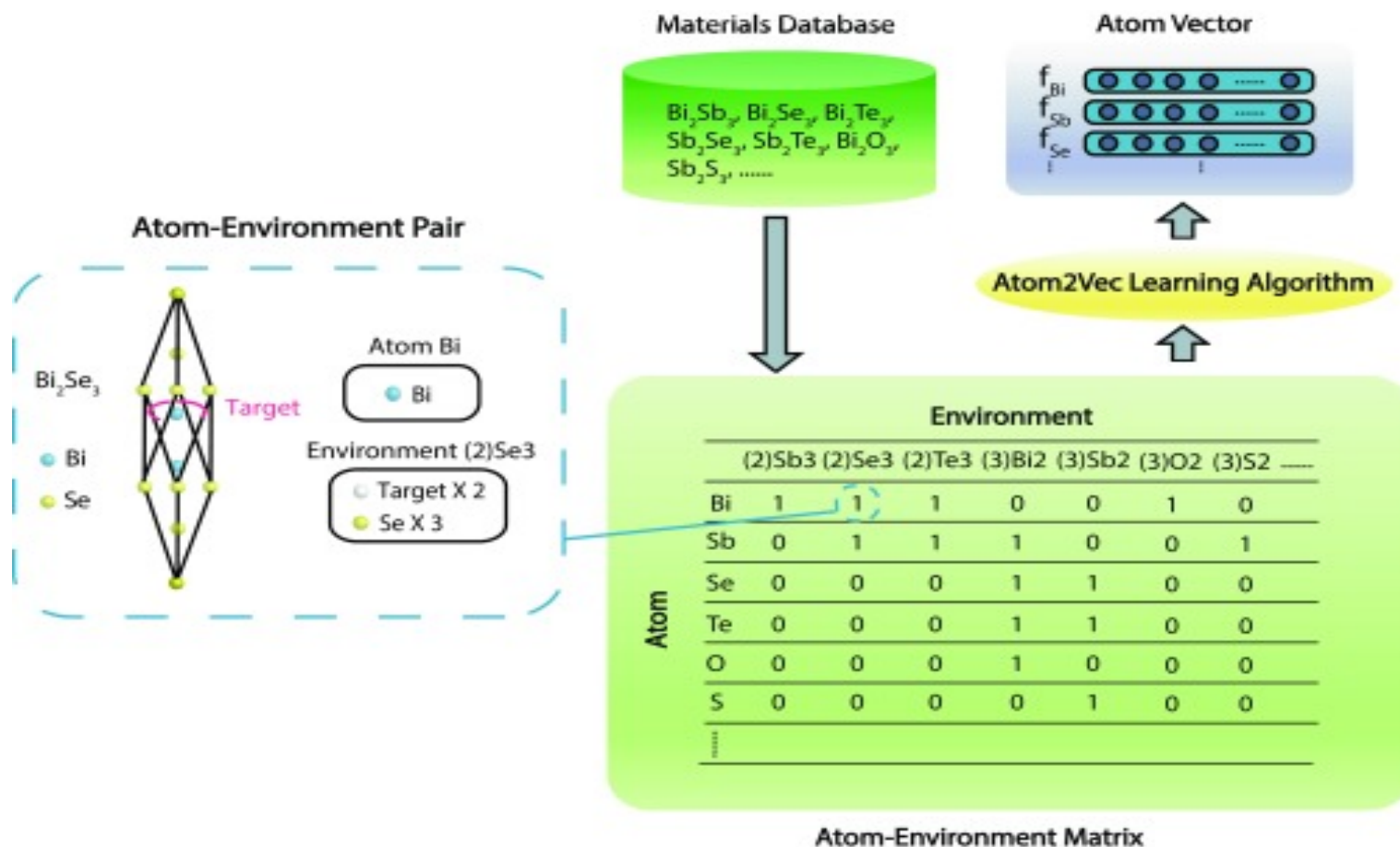
Microsoft recently reached a new milestone in its ability to recognize conversational speech, achieving a 5.1% word error rate (WER). The achievement, detailed in a Sunday [blog post](#), bests Microsoft's [previous record of 5.9%](#) and is closer to human parity.

Microsoft, 2017



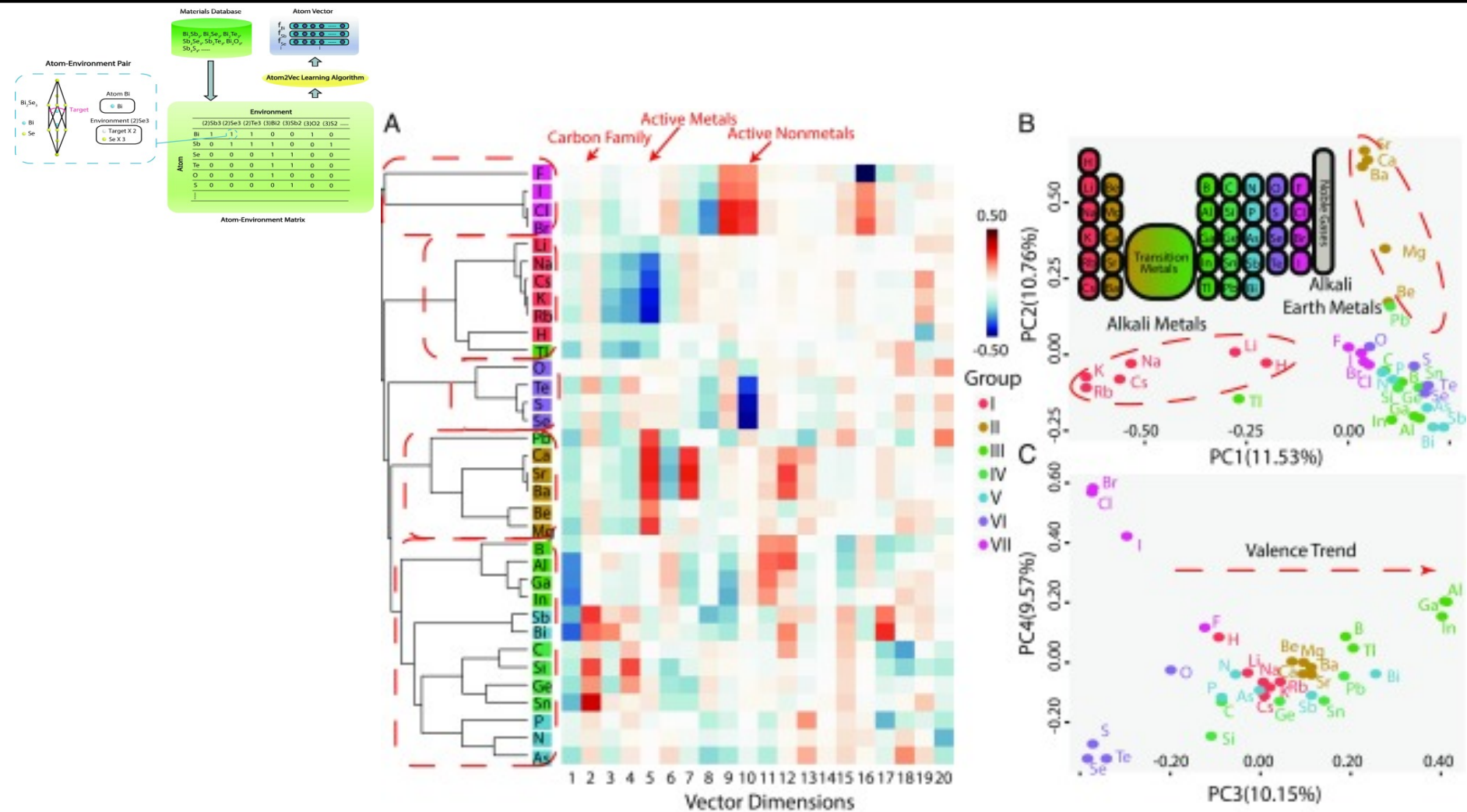
Solving CAPTCHA Goodfellow et al, 2013

More recent results



Learning atoms for materials discovery. Zhou et. al. (PNAS), 2018

More recent results

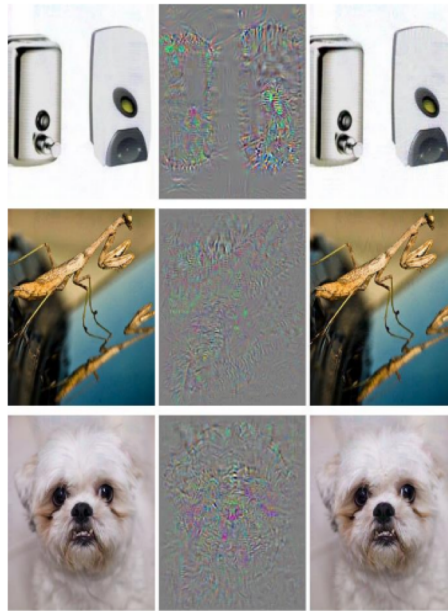
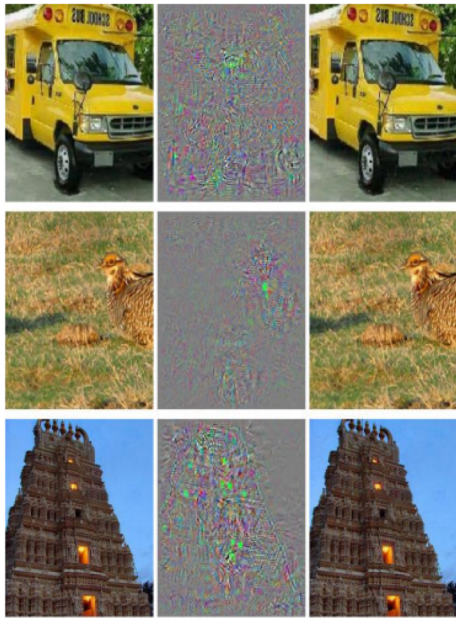


Learning atoms for materials discovery. Zhou et. al. (PNAS), 2018

AI in Adversarial Settings

Machine learning very susceptible
to adversarial attacks.

Szegedy et al, 2013, 2014



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Szegedy et al, 2013, 2014



Airplane (Dog)



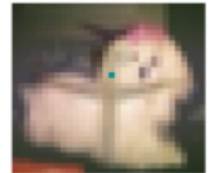
Automobile (Dog)



Automobile
(Airplane)



Cat (Dog)



Dog (Ship)



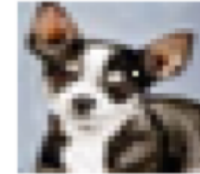
Deer (Dog)



Frog (Dog)



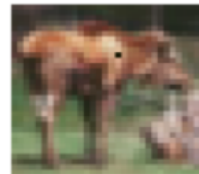
Frog (Truck)



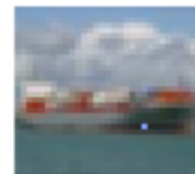
Dog (Cat)



Bird (Airplane)



Horse (Cat)



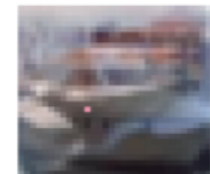
Ship (Truck)



Horse
(Automobile)



Dog (Horse)



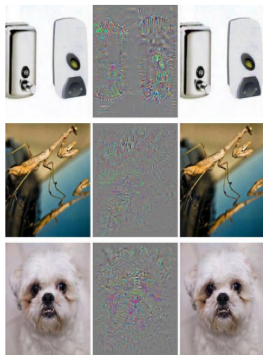
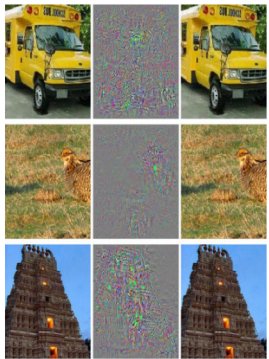
Ship (Truck)

One pixel attack for fooling deep neural
networks. Su et. al., 2017

AI in Adversarial Settings

Machine learning very susceptible
to adversarial attacks.

Szegedy et al, 2013, 2014



Airplane (Dog)



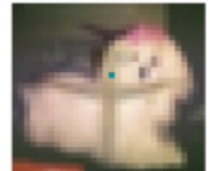
Automobile (Dog)



Automobile
(Airplane)



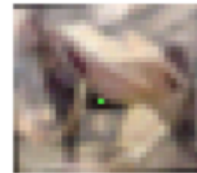
Cat (Dog)



Dog (Ship)



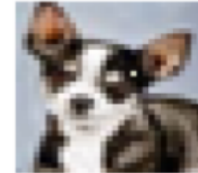
Deer (Dog)



Frog (Dog)



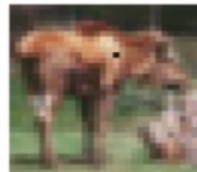
Frog (Truck)



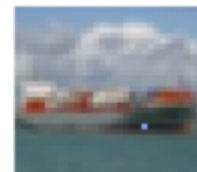
Dog (Cat)



Bird (Airplane)



Horse (Cat)



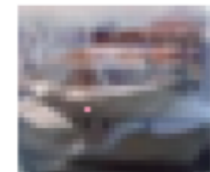
Ship (Truck)



Horse
(Automobile)



Dog (Horse)



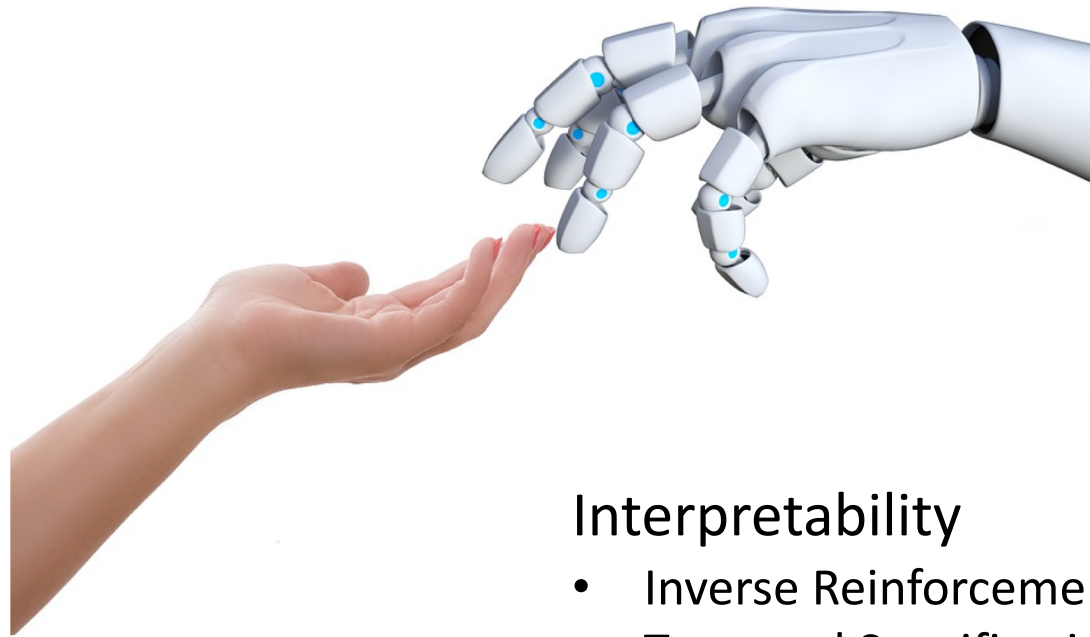
Ship (Truck)

Only allowed to modify the value of 1 pixel. 70.97% of the natural images
can be perturbed to at least one target class by modifying just one pixel with
97.47% confidence on average.

Rest of the Talk

Trust

- Global Assume/Guarantee Contracts on DNNs
- Extracting and Integrating Temporal Logic into Learned Control



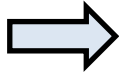
Interpretability

- Inverse Reinforcement Learning of Temporal Specifications

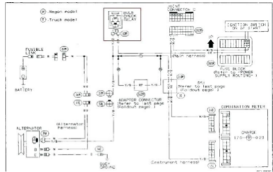
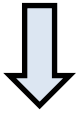
Resilience

- Adversarial Robustness

TRINITY: Trust, Resilience and Interpretability

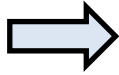


Demonstrations



Specifications

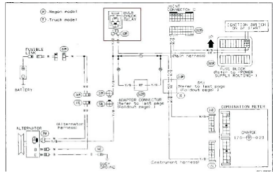
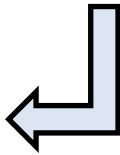
TRINITY: Trust, Resilience and Interpretability



Demonstrations

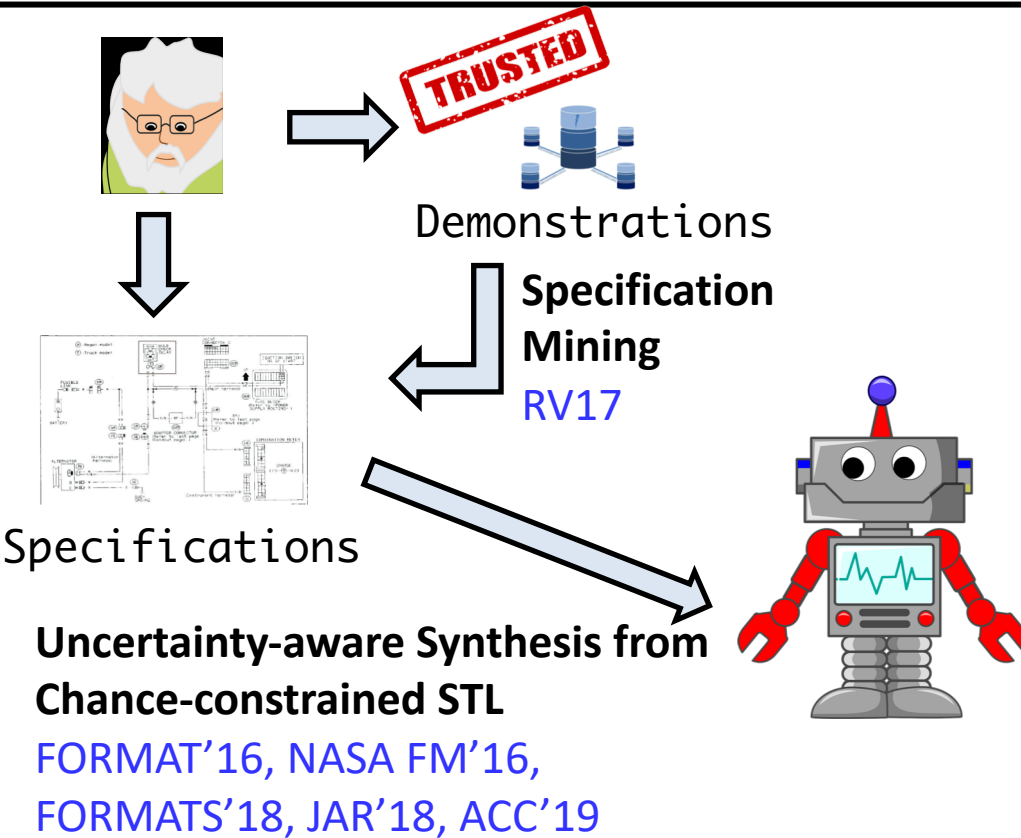
**Specification
Mining**

RV17

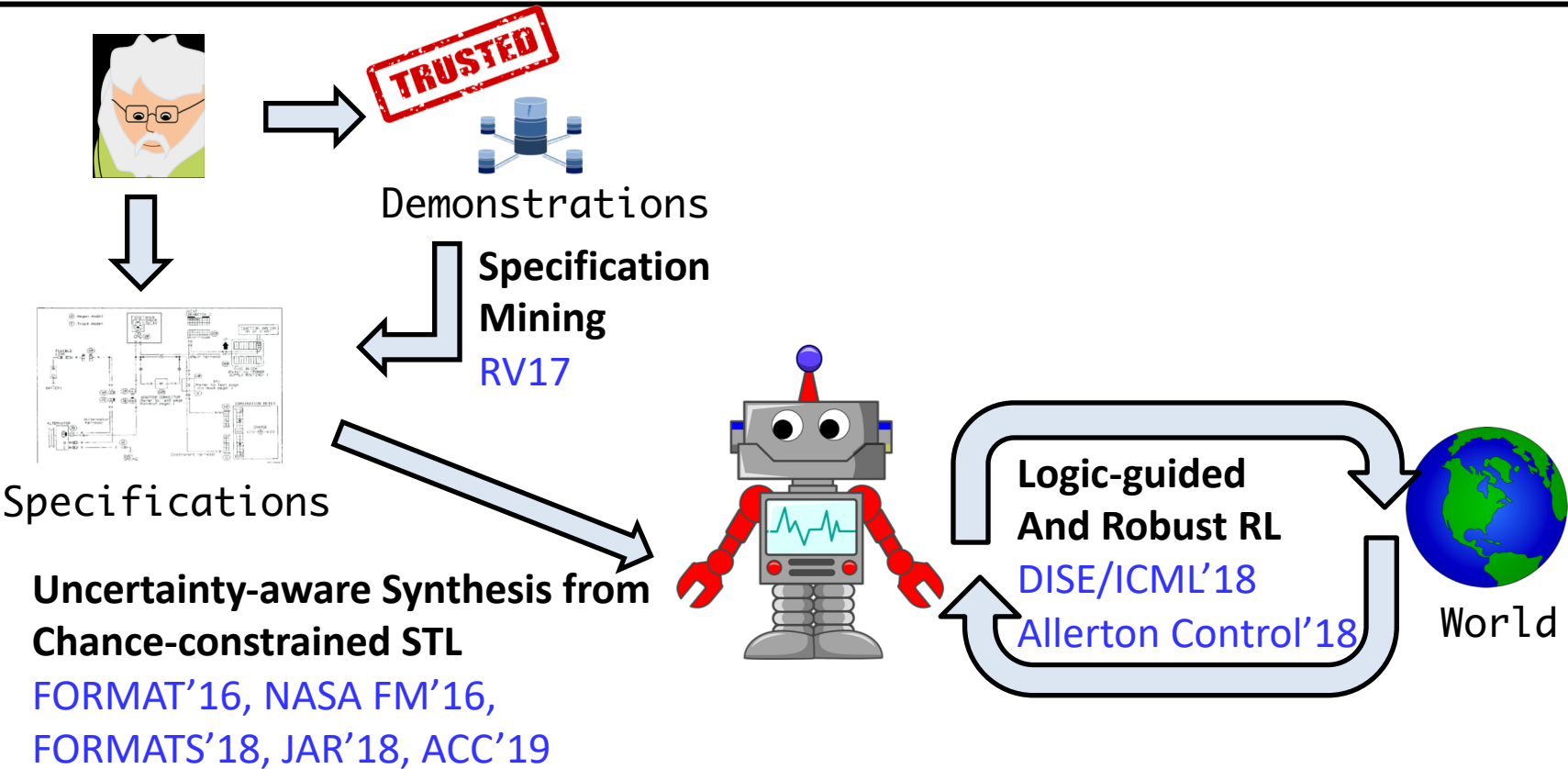


Specifications

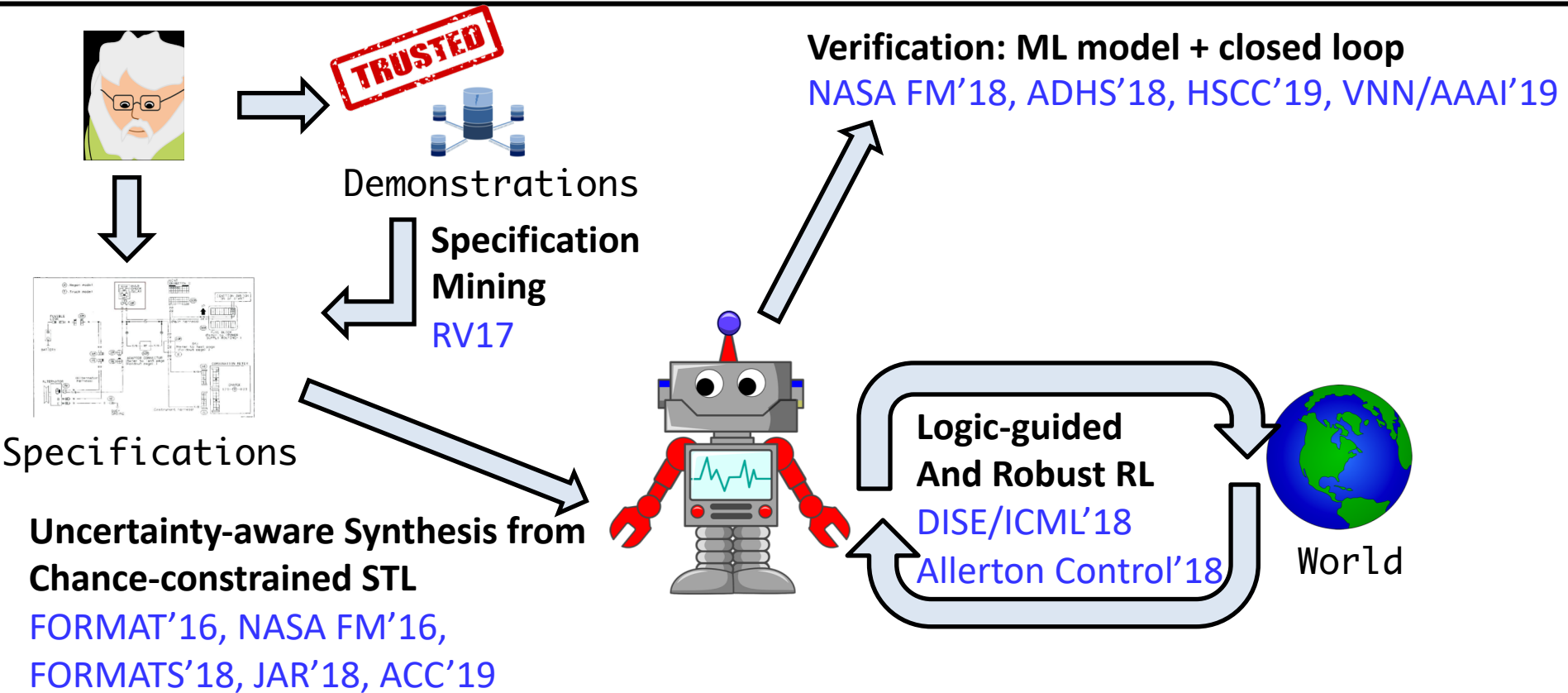
TRINITY: Trust, Resilience and Interpretability



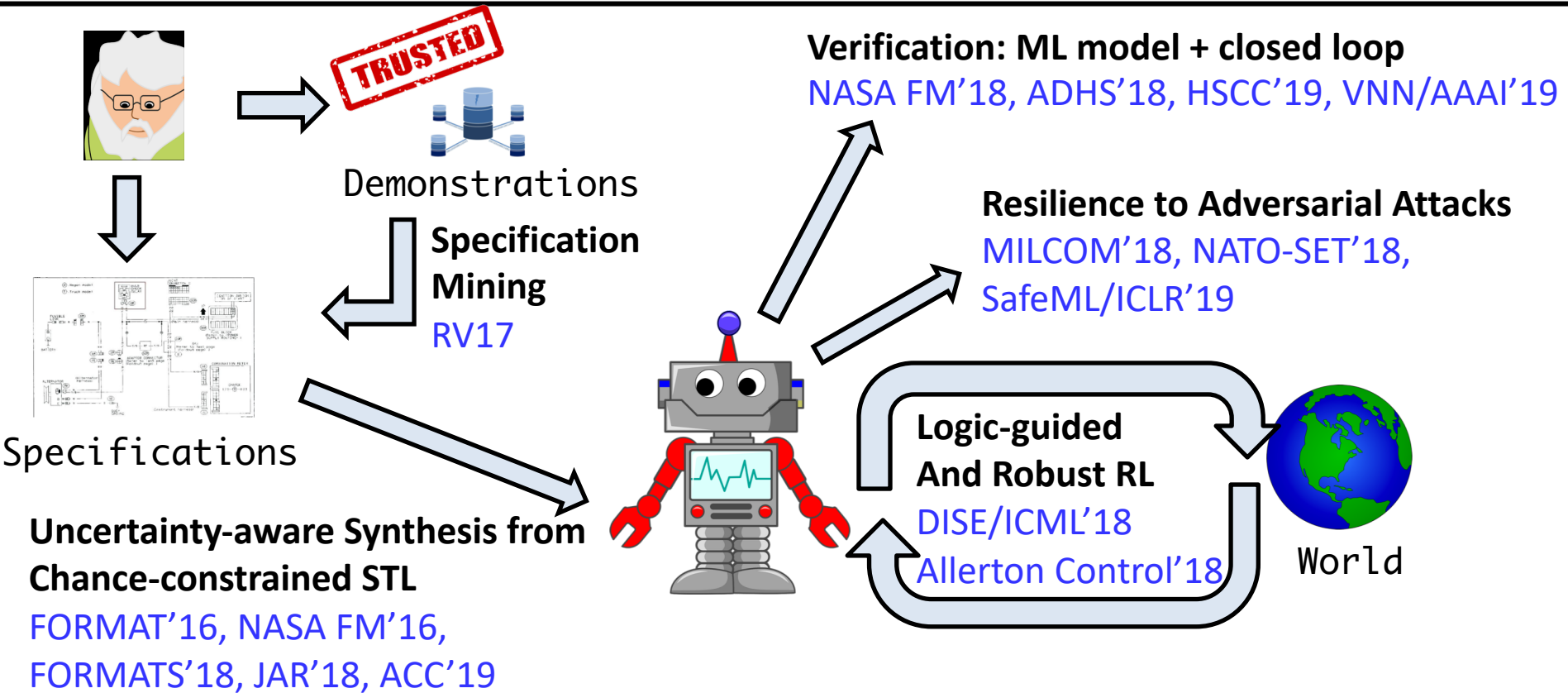
TRINITY: Trust, Resilience and Interpretability



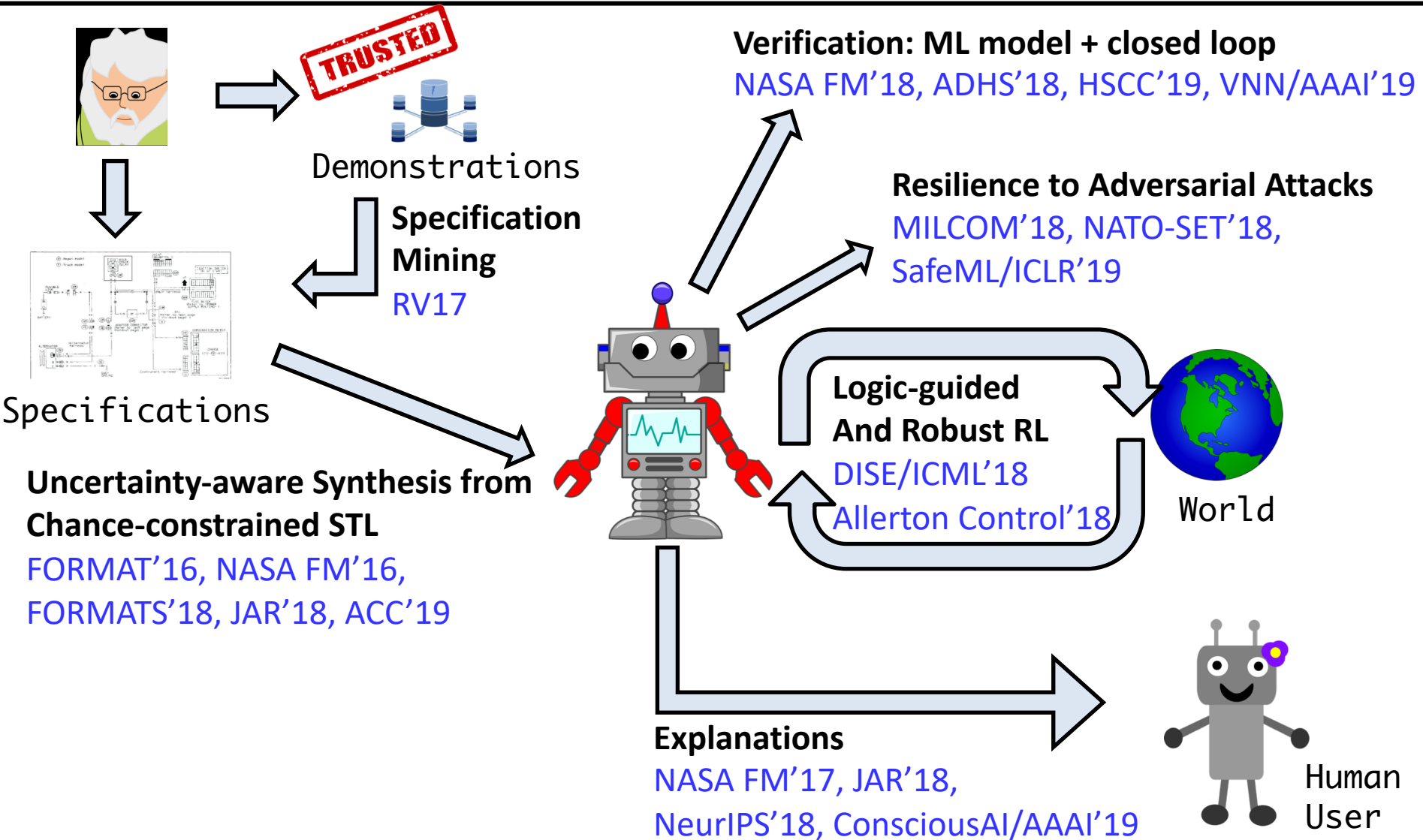
TRINITY: Trust, Resilience and Interpretability



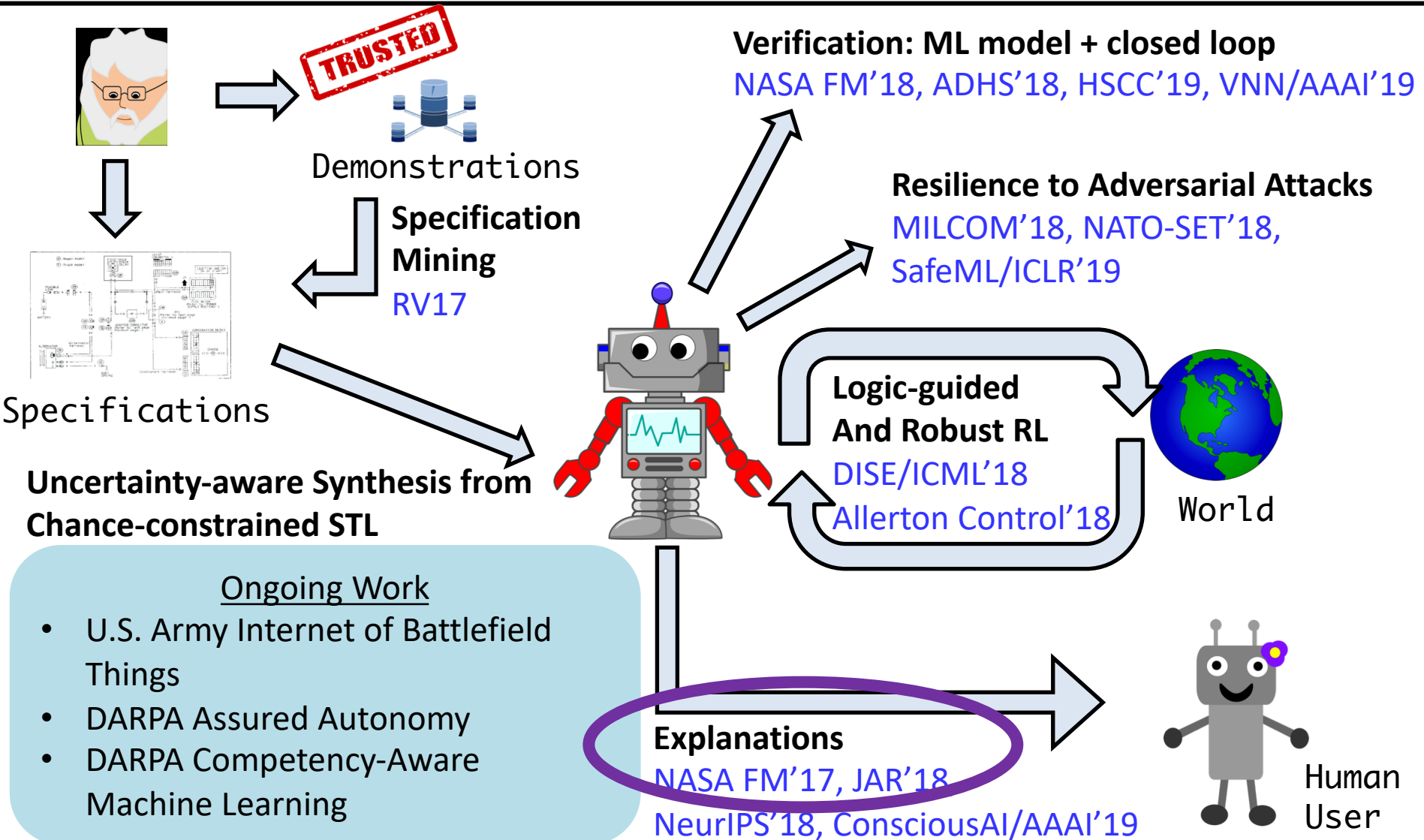
TRINITY: Trust, Resilience and Interpretability



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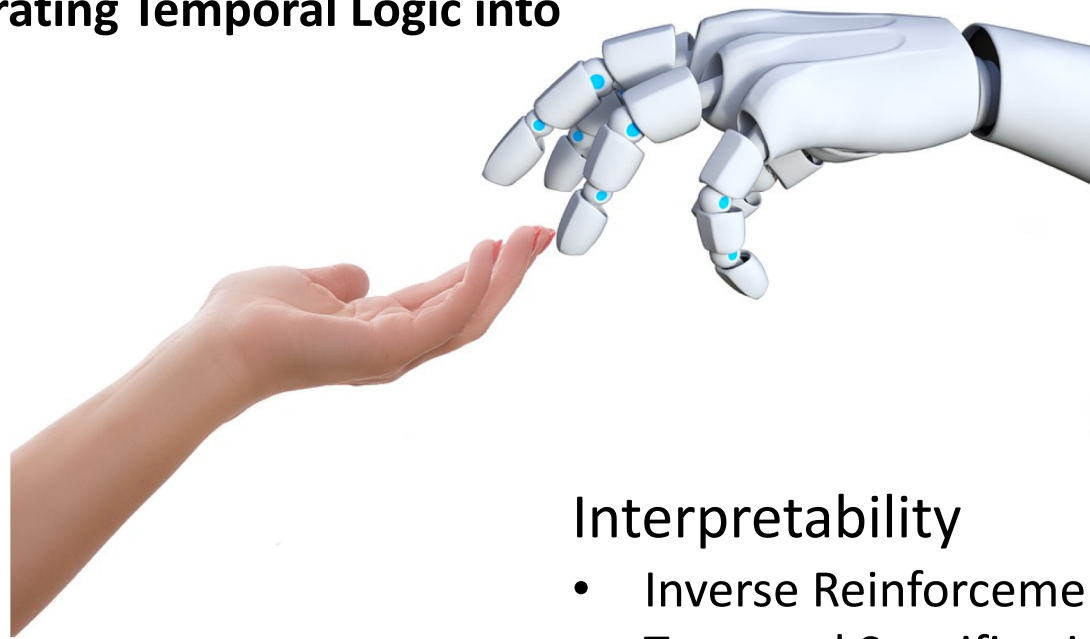
TRINITY: Trust, Resilience and Interpretability



Rest of the Talk

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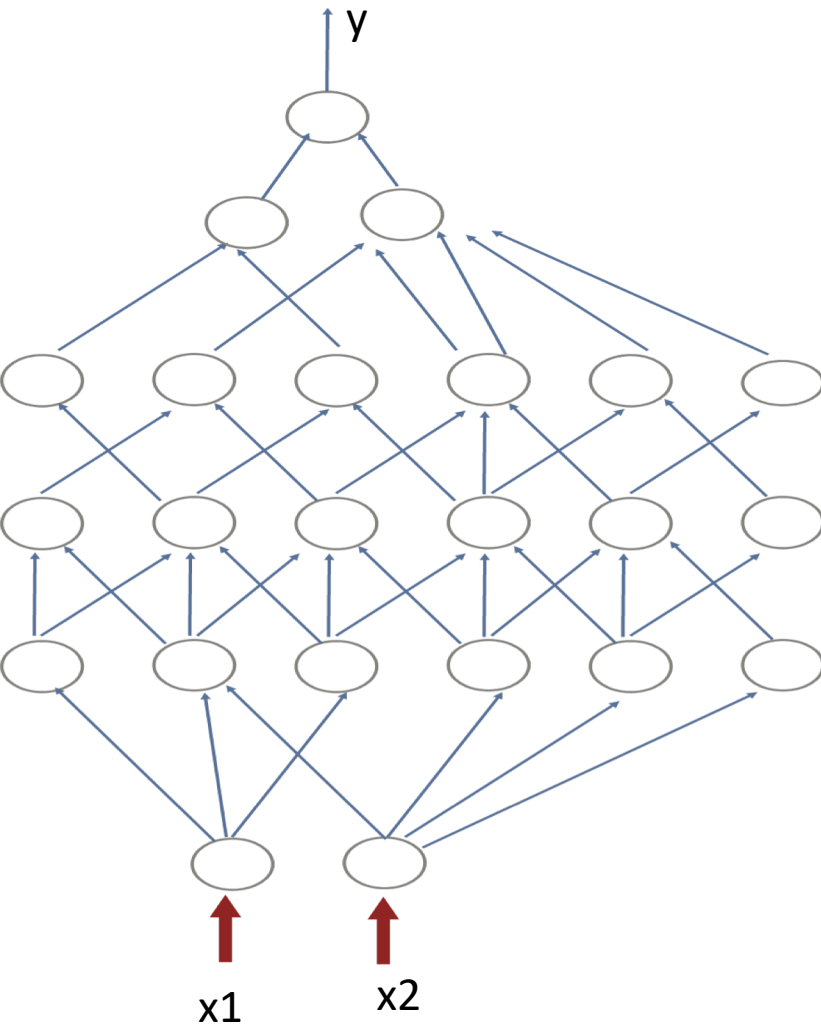
Interpretability

- Inverse Reinforcement Learning of Temporal Specifications

Resilience

- Adversarial Robustness

Formal Contracts on Feedforward Neural Networks



Example Specification.

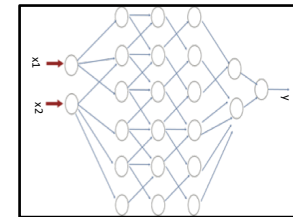
Assumption: $L_1 \leq x_1 \leq U_1 \wedge L_2 \leq x_2 \leq U_2$

Guarantee: $L_o \leq y \leq U_o$



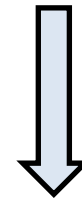
Assumption

$\phi(x_1, x_2)$



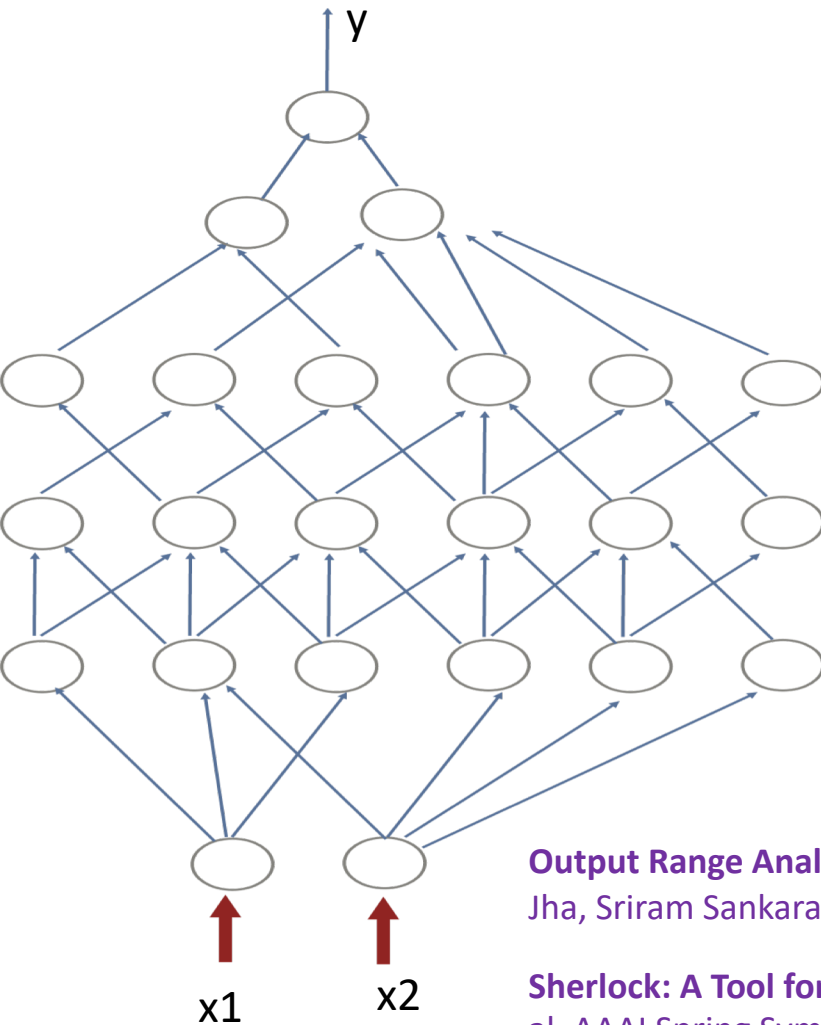
Guarantee

$\psi(x_1, x_2, y)$



Encapsulating ML components in A/G contracts can enable traditional Design by Contract approaches.

Formal Contracts on Feedforward Neural Networks



Example Specification.

Assumption: $L_1 \leq x_1 \leq U_1 \wedge L_2 \leq x_2 \leq U_2$

Guarantee: $L_o \leq y \leq U_o$

Key Idea: Can we improve scalability by combining local search (linear programming + gradient descent) with sparse calls to global search (mixed integer linear programming) ?

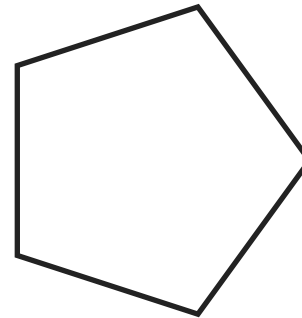
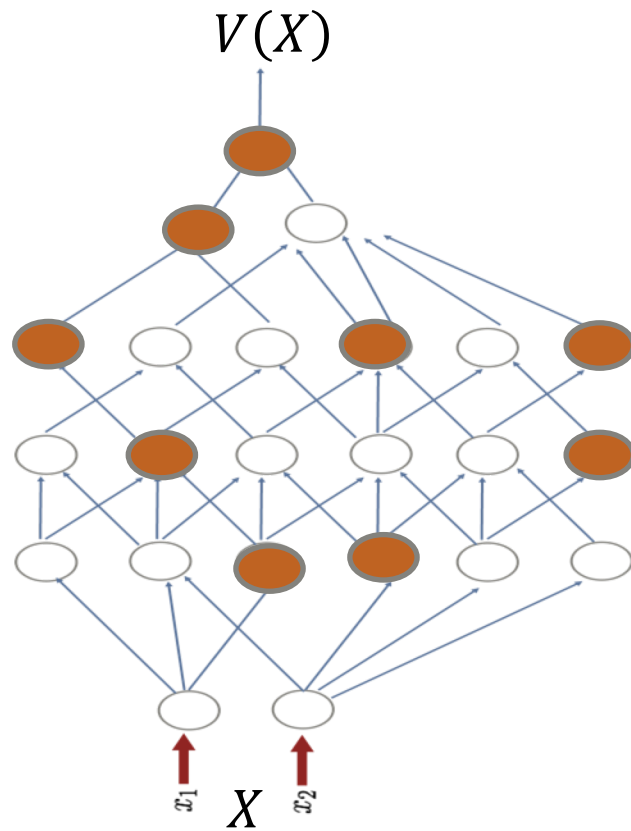
Implemented in **publicly available tool** since January, 2018 : [Sherlock](#)

<https://github.com/souradeep-111/sherlock>

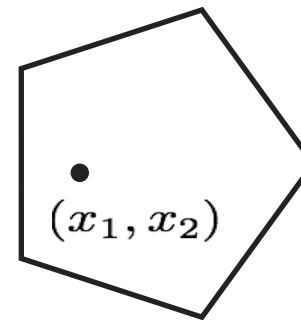
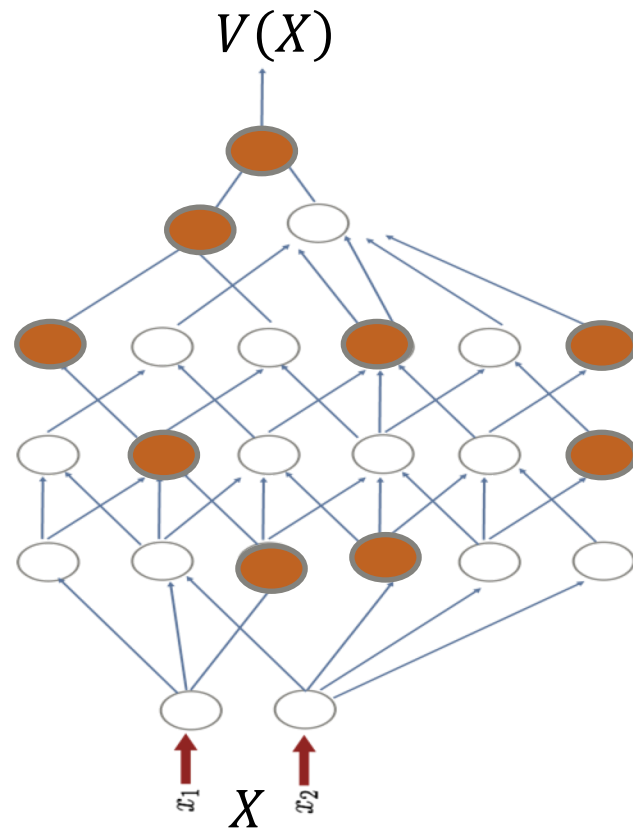
Output Range Analysis for Deep Feedforward Neural Networks. Souradeep Dutta, Susmit Jha, Sriram Sankaranarayanan, Ashish Tiwari. NASA Formal Methods (NFM), 2018

Sherlock: A Tool for Verification of Deep Neural Networks. Dutta et. al. AAAI Spring Symposium on Verification of Neural Networks, 2019.

Combining local search and MILP



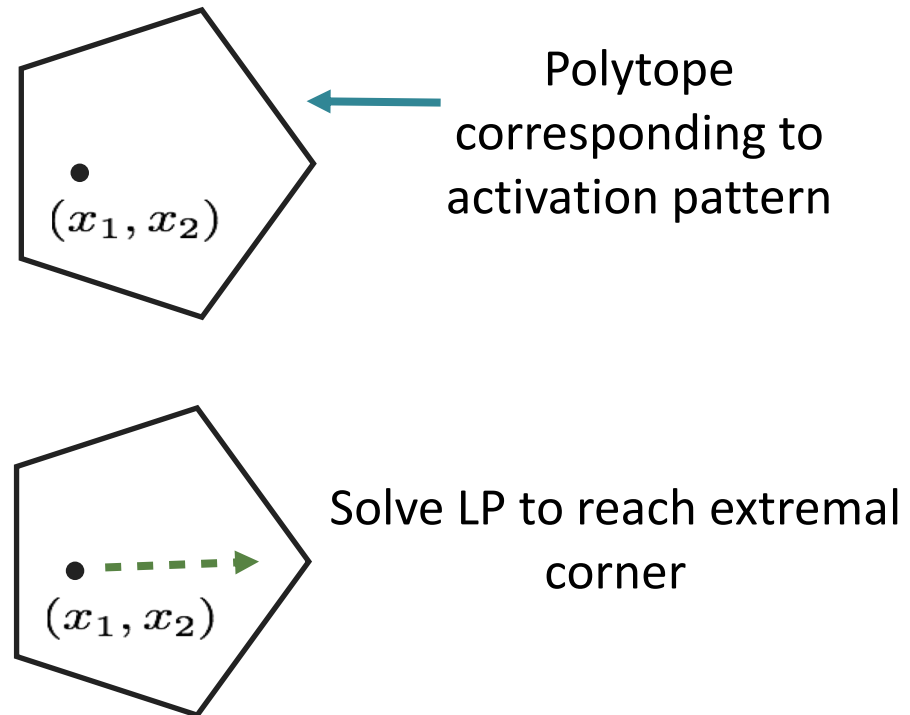
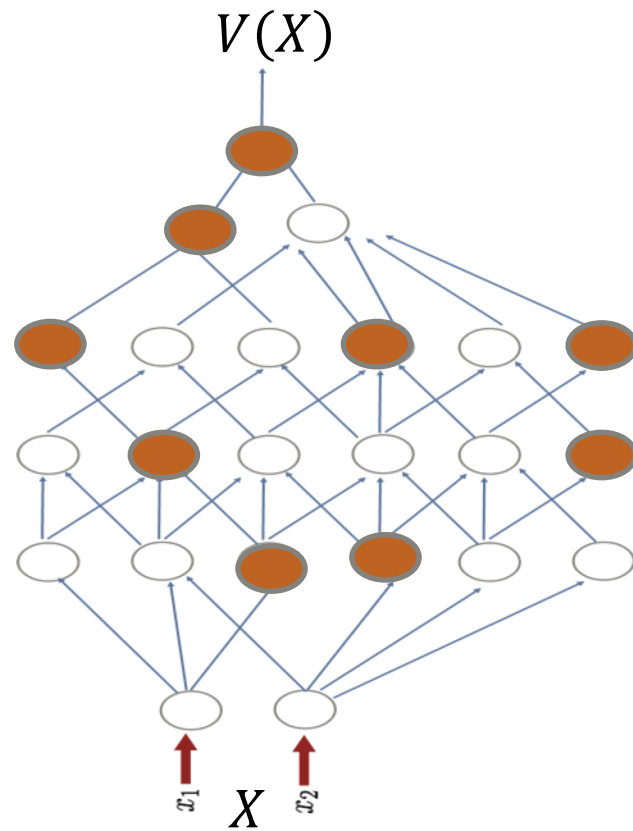
Combining local search and MILP



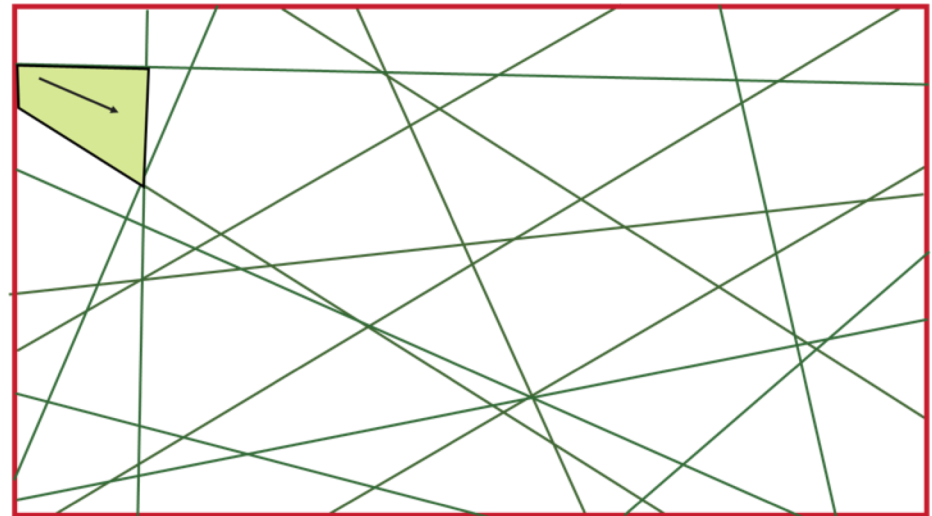
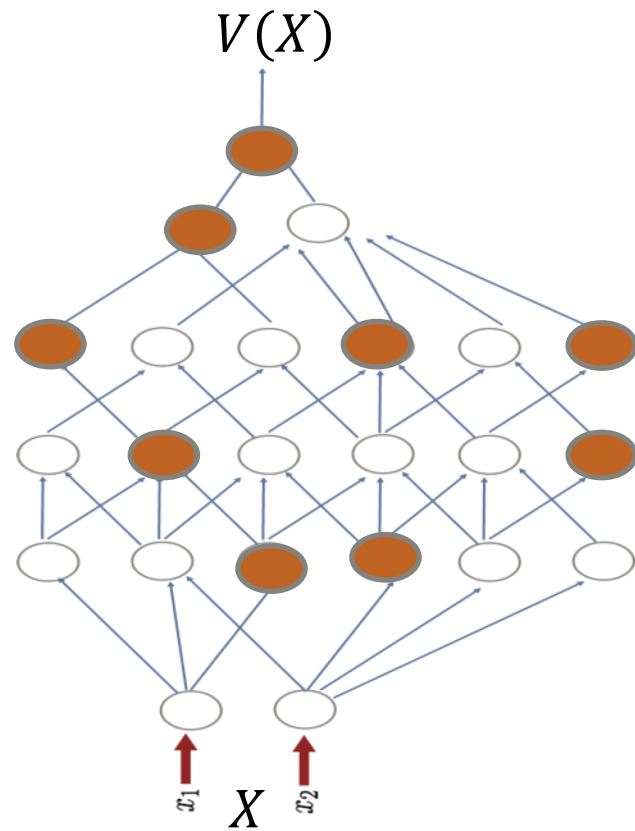
Polytope
corresponding to
activation pattern



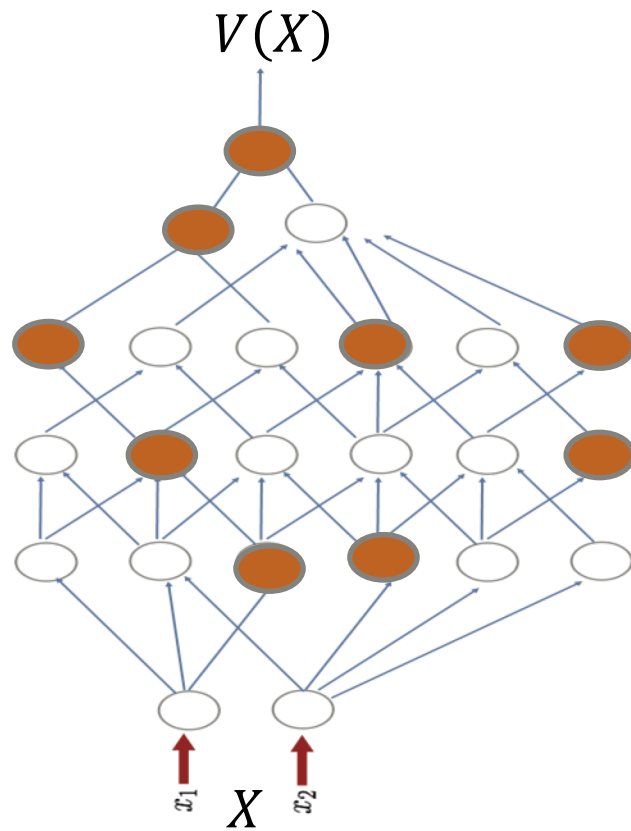
Combining local search and MILP



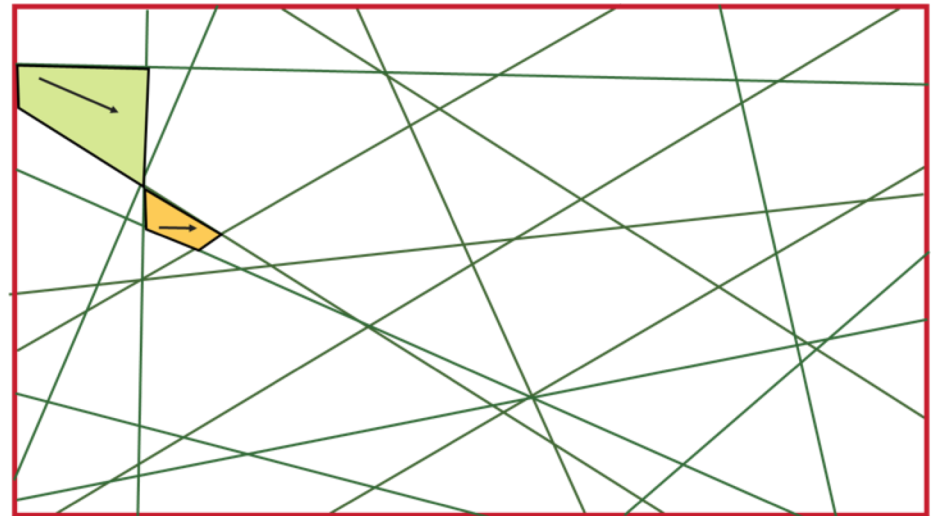
Combining local search and MILP



Combining local search and MILP

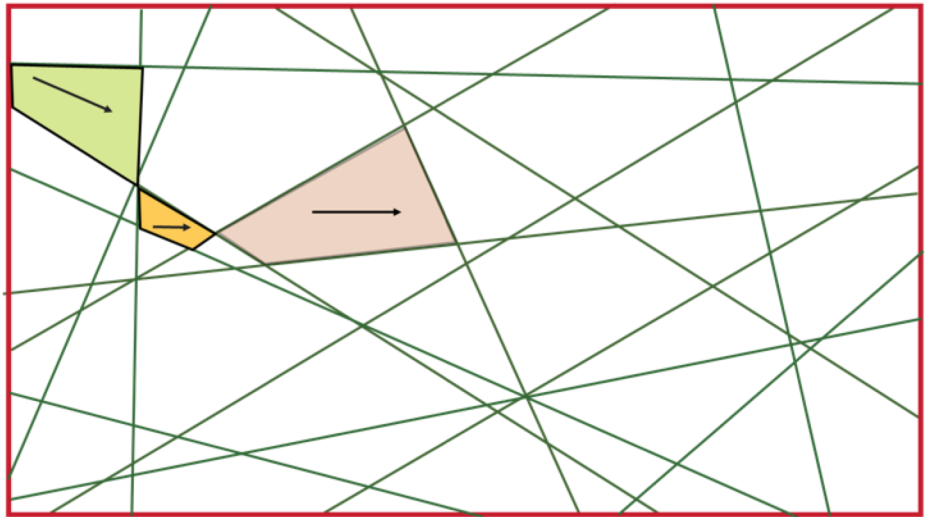
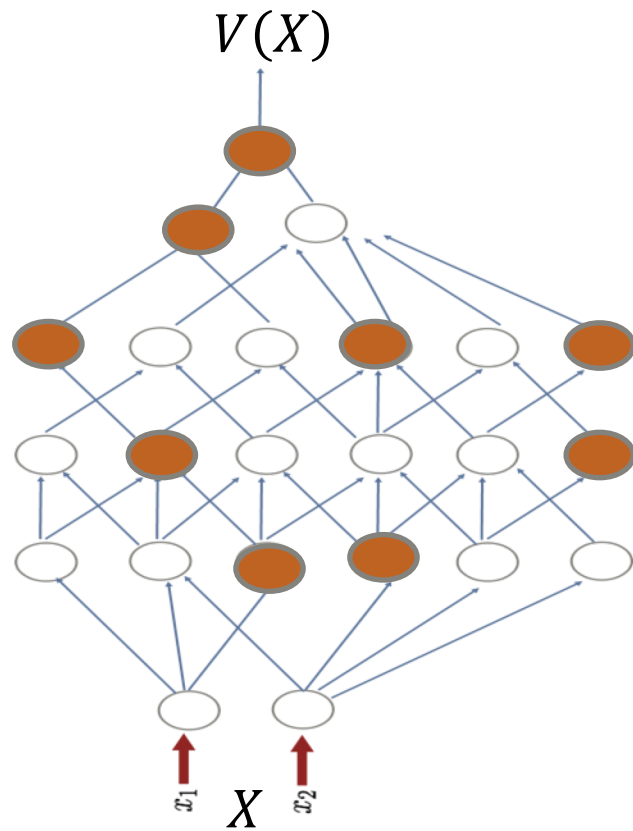


Use gradient to move to next activation pattern

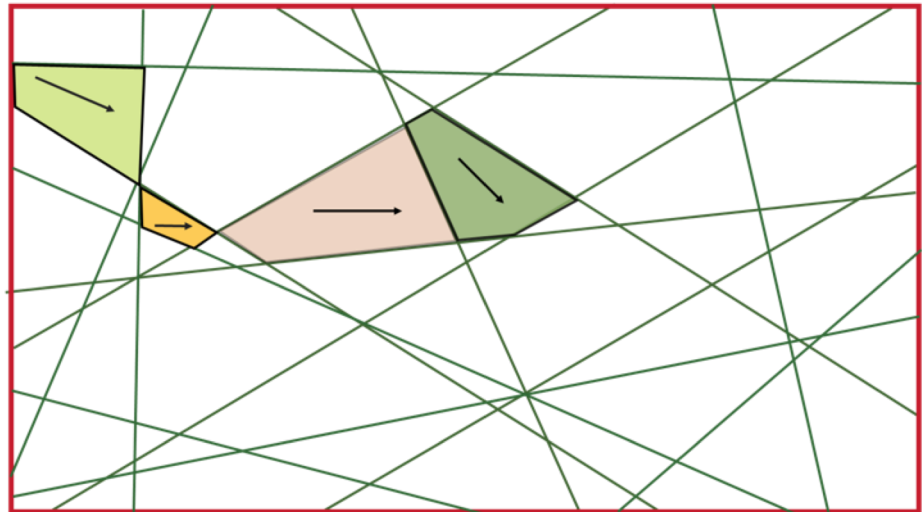
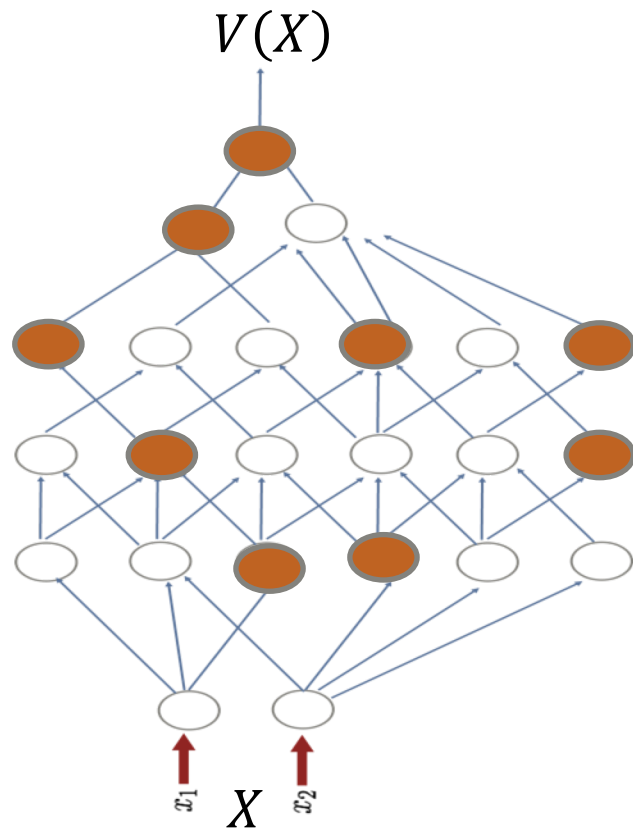


In some cases, gradient based local search works so well, that we skip LP step.

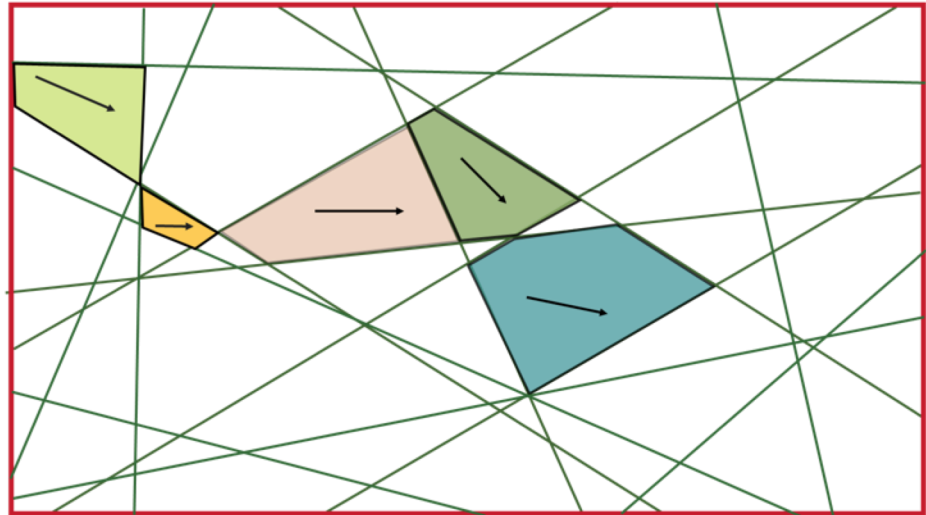
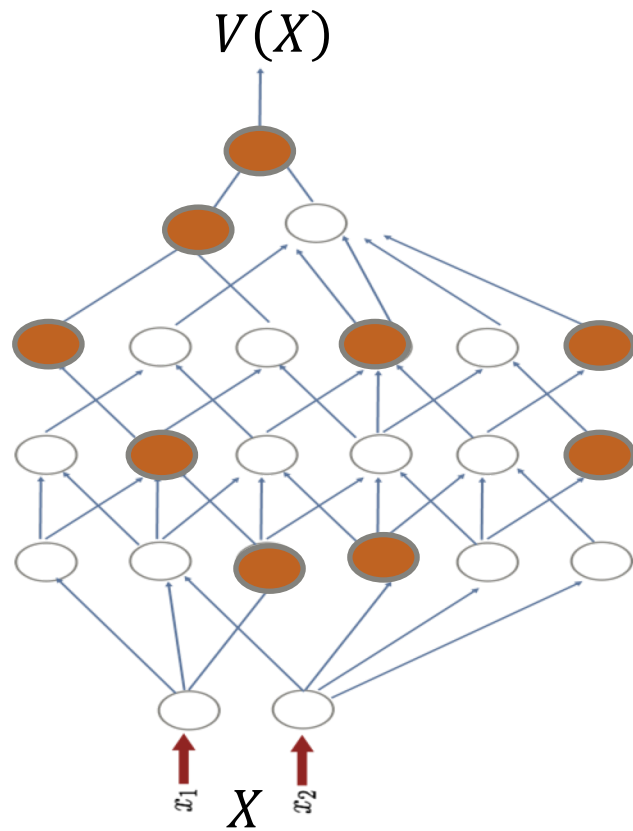
Combining local search and MILP



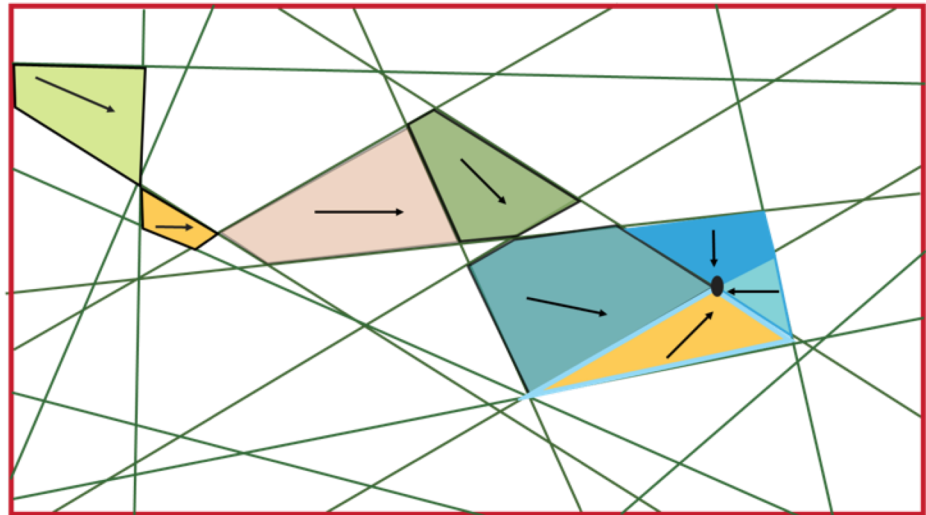
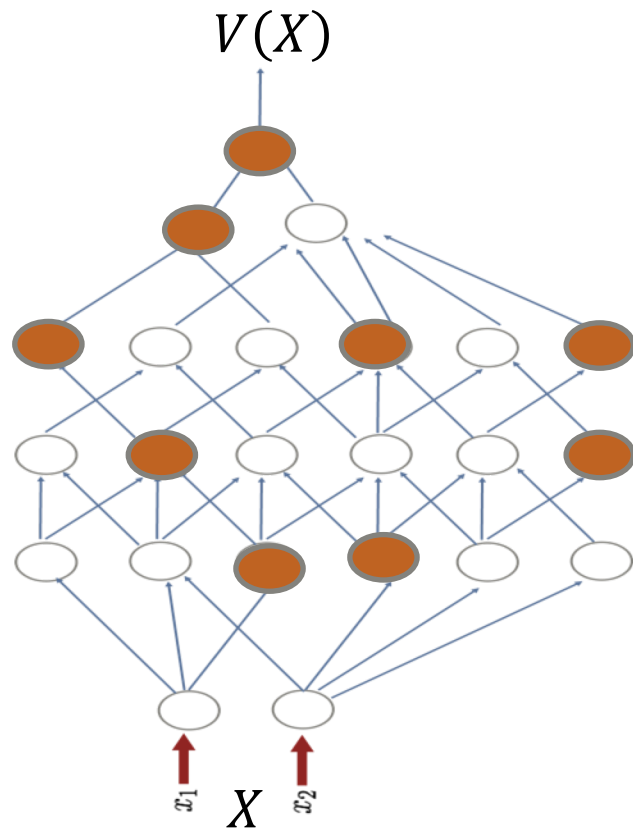
Combining local search and MILP



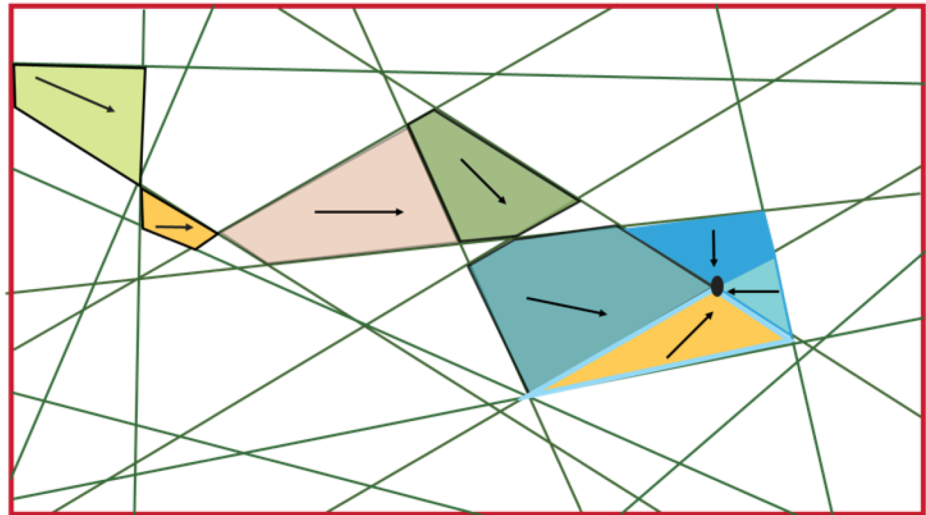
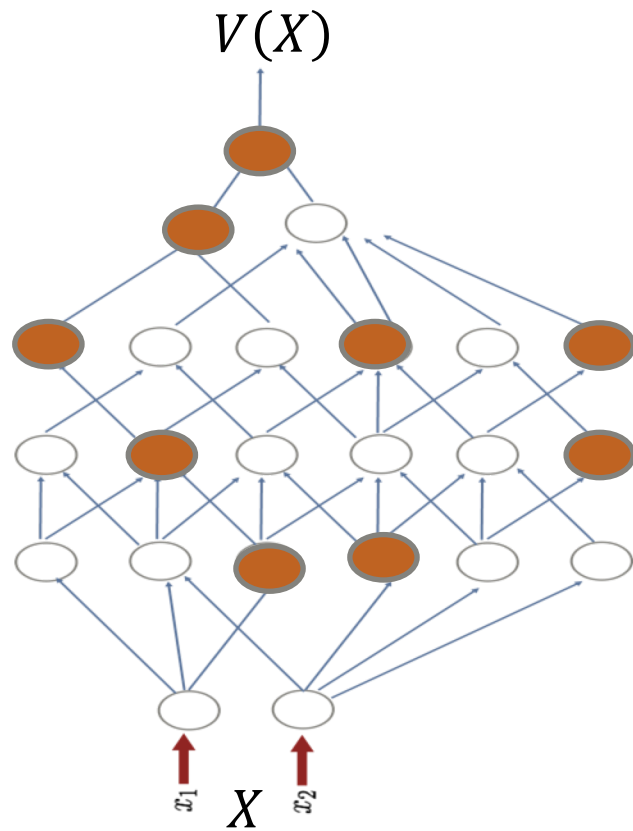
Combining local search and MILP



Combining local search and MILP

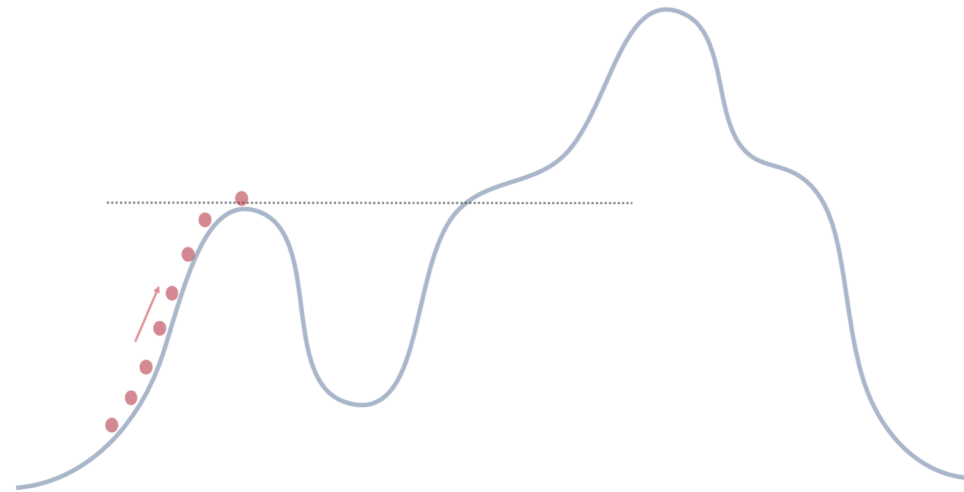
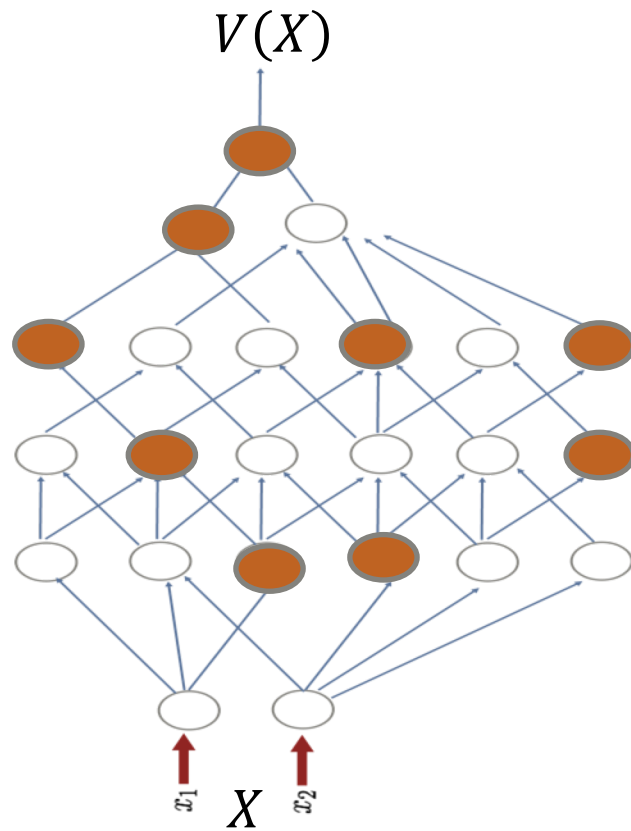


Combining local search and MILP



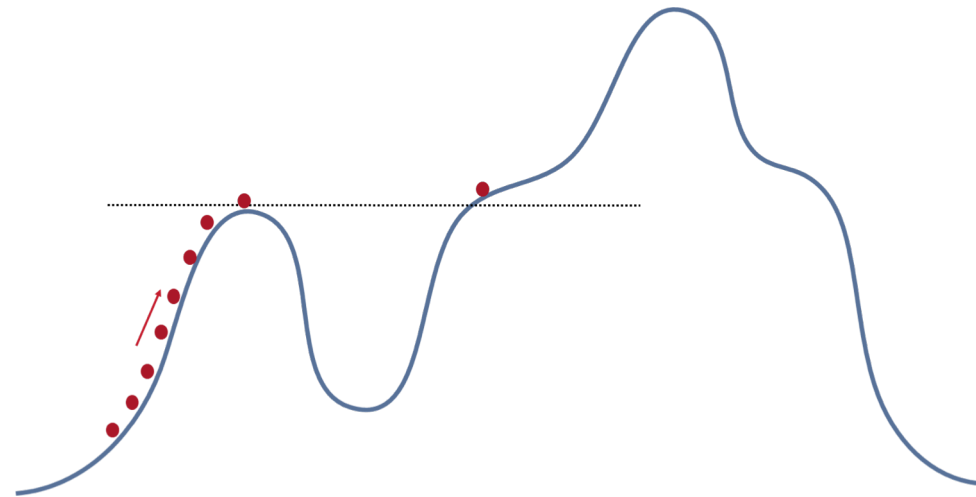
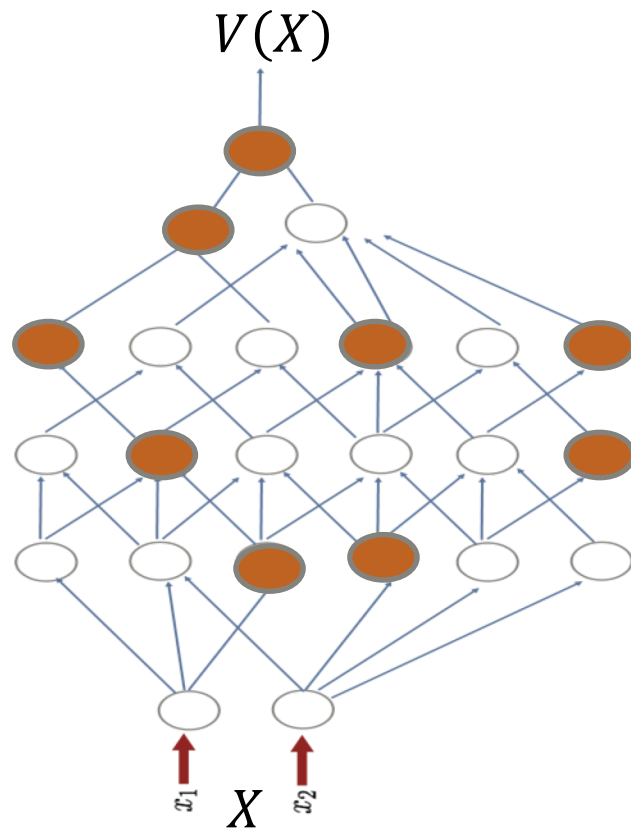
A local optimum

Combining local search and MILP



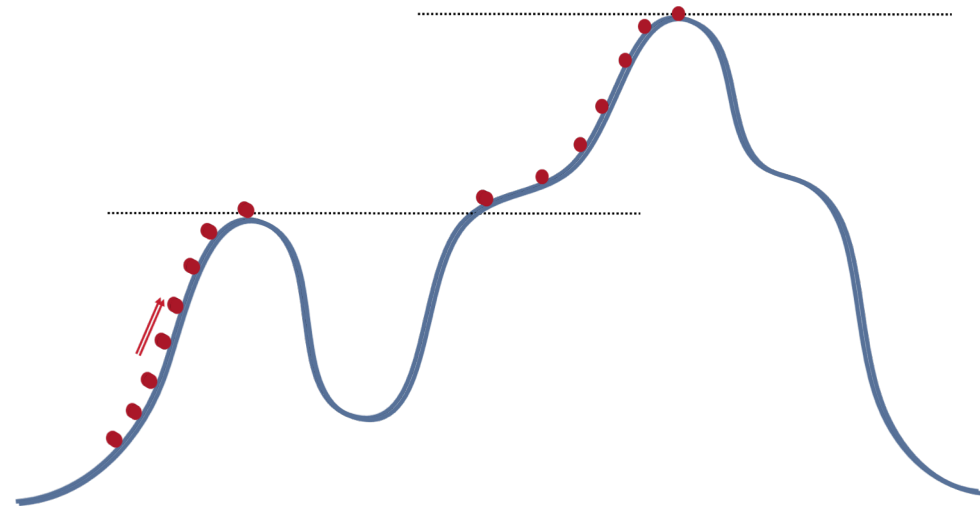
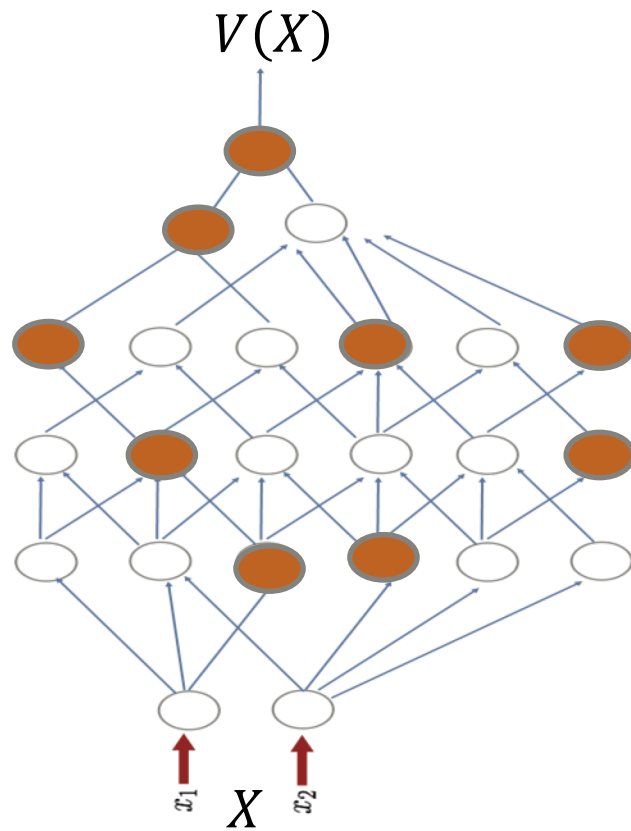
A local optimum

Combining local search and MILP



Call to MILP verifier

Combining local search and MILP



Again local search
followed by MILP verifier

Performance compared to Reluplex and MILP

ID x k N				23 cores				single core				Reluplex T
						Monolithic				Monolithic		
				T	N_c	T	N_c	T	N_c	T	N_c	
N_0	2	1	100	1s	94	2.3s	24	0.4s	44	0.3s	25	9.0
N_1	2	1	200	2.2s	166	3.6s	29	0.9s	71	0.8s	38	1m50s
N_2	2	1	500	7.8s	961	12.6s	236	2s	138	2.9s	257	15m59s
N_3	2	1	500	1.5s	189	0.5s	43	0.6s	95	0.2s	53	12m25s
N_4	2	1	1000	3m52s	32E3	3m52s	3E3	1m20s	4.8E3	35.6s	5.3E3	1h06m
N_5	3	7	425	4s	6	6.1s	2	1.7s	2	0.9s	2	DNC
N_6	3	4	762	3m47s	3.3E3	4m41s	3.6E3	37.8s	685	56.4s	2.2E3	DNC
N_7	4	7	731	3.7s	1	7.7s	2	3.9s	1	3.1s	2	1h35m
N_8	3	8	478	6.5s	3	40.8s	2	3.6s	3	3.3s	2	DNC
N_9	3	8	778	18.3s	114	1m11s	2	12.5s	12	4.3s	73	DNC
N_{10}	3	26	2340	50m18s	4.6E4	1h26m	6E4	17m12s	2.4E4	18m58s	1.9E4	DNC
N_{11}	3	9	1527	5m44s	450	55m12s	6.4E3	56.4s	483	130.7s	560	DNC
N_{12}	3	14	2292	24m17s	1.8E3	3h46m	2.4E4	8m11s	2.3E3	1h01m	1.6E4	DNC
N_{13}	3	19	3057	4h10m	2.2E4	61h08m	6.6E4	1h7m	1.5E4	15h1m	1.5E5	DNC
N_{14}	3	24	3822	72h39m	8.4E4	111h35m	1.1E5	5h57m	3E4	timeout	-	DNC
N_{15}	3	127	6845	2m51s	1	timeout	-	3m27s	1	timeout	-	DNC

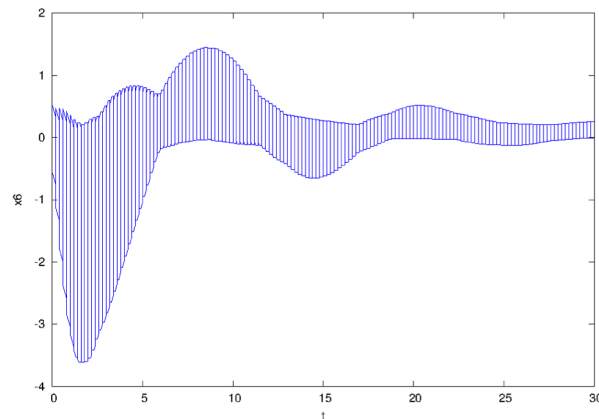
Sherlock: A Tool for Verification of Deep Neural Networks. Dutta et. al. AAAI Spring Symposium on Verification of Neural Networks, 2019.

Closed-loop validation with NN controllers

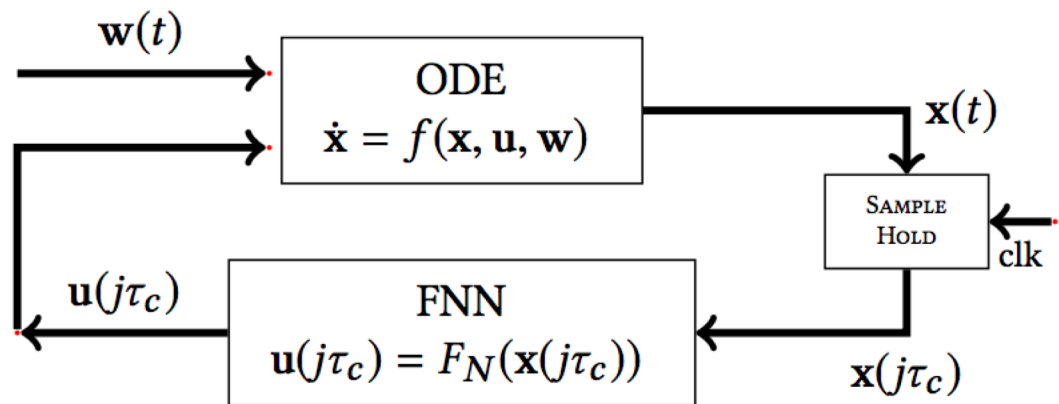
Key idea: Combine neural network range estimation with reachable set computation for dynamical systems. Dovetail between

- Estimate range of control input
- Estimate range of next state (accelerate by taking multiple steps, more approximate)

◇□ T Specification: Stability



Xin Chen, Sriram Sankaranarayanan, and Erika Abraham.
FLOW* 1.2: More Effective to Play with Hybrid Systems.



Learning and Verification of Feedback Control Systems using Feedforward Neural Networks. Souradeep Dutta, Susmit Jha, Sriram Sankaranarayanan, Ashish Tiwari. IFAC Conference on Analysis and Design of Hybrid Systems, 2018

Sherlock - A Tool for Verification of Neural Network Feedback Systems: Demo Abstract. (Best Demo Award) . Dutta et. al. 22nd ACM International Conference on Hybrid Systems: Computation and Control (HSCC), 2019

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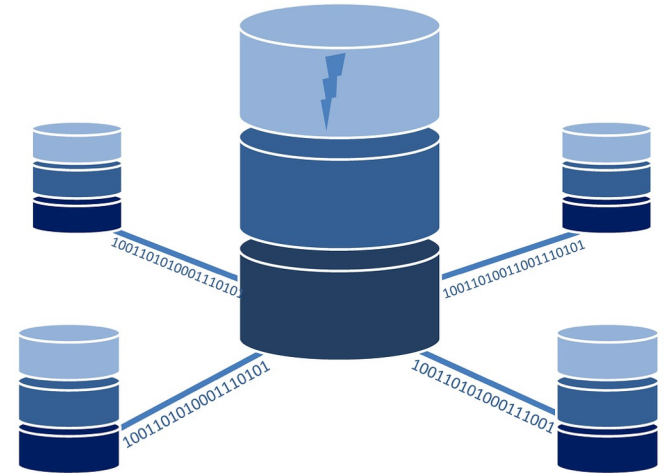
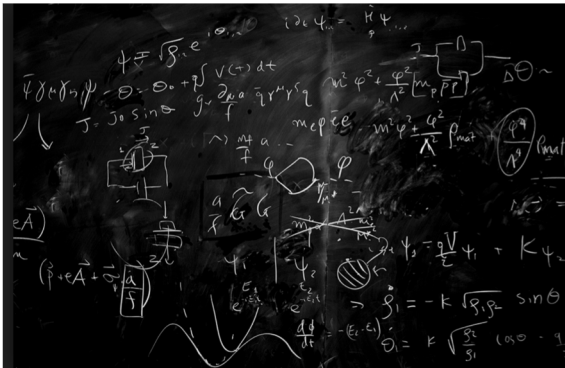
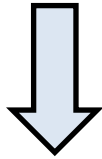
Specification: Stability $\diamond \square T$

ID	NN Layer Sizes	Acc	$Reach_T$	Acc_T	Inv_T
1	2, 52, 3, 4, 3, 4, 3, 200, 2	1	7.53s	2	2.8s
2	2, 102, 52, 3, 4, 3, 4, 3, 250, 2	2	2m25s	2	1m3s
3	3, 103, 53, 4, 5, 4, 5, 4, 600, 3	2	2m33s	5	3m10s
4	3, 103, 53, 4, 5, 4, 5, 4, 300, 3	1	48s	3	17.89s
5	3, 103, 4, 5, 4, 5, 4, 300, 3	5	63m6.4s	16	111m45s
6	3, 303, 203, 4, 252, 3	2	16m25s	4	9m19s
7	4, 104, 5, 6, 5, 6, 5, 600, 4	3	19m42s	8	22m1s

Learning and Verification of Feedback Control Systems using Feedforward Neural Networks. Souradeep Dutta, Susmit Jha, Sriram Sankaranarayanan, Ashish Tiwari. IFAC Conference on Analysis and Design of Hybrid Systems, 2018

Sherlock - A Tool for Verification of Neural Network Feedback Systems: Demo Abstract. Dutta et. al. 22nd ACM International Conference on Hybrid Systems: Computation and Control (HSCC), 2019

Where do we get specifications from?



Extracting Safety Property from Data: Mining Safe Driving Patterns



Safe Driving is more than adherence to traffic rules.



If we observe how 'safe' human drivers drive, can we transfer these habits/patterns to an autonomous car?



220GB of driving data: Instrumented car (2016 Lincoln MKZ) driving along El Camino Real (San Francisco Bay Area). A mixture of turns and straight driving.

timestamp,angle,torque,speed,throttle,brake

[illegible]

How does acceleration and speed change during initiation, continuation and termination of a turn for a safe driver?

Temporal Logic

- Temporal logics specify patterns that timed behaviors of systems may or may not satisfy.
- Linear Temporal Logic (LTL) specify property of discrete sequences of states.
 - Based on logic operators ($\neg$, $\wedge$, $\vee$), and
 - temporal operators: “next”, “always” (G), “eventually” (F) and “until” (U)
- Extension of LTL with continuous time and real-valued signals
 - Reasoning about continuous signals: steering angle of a car

LTL : $G (\text{torque applied} \rightarrow F (\text{turn complete}))$

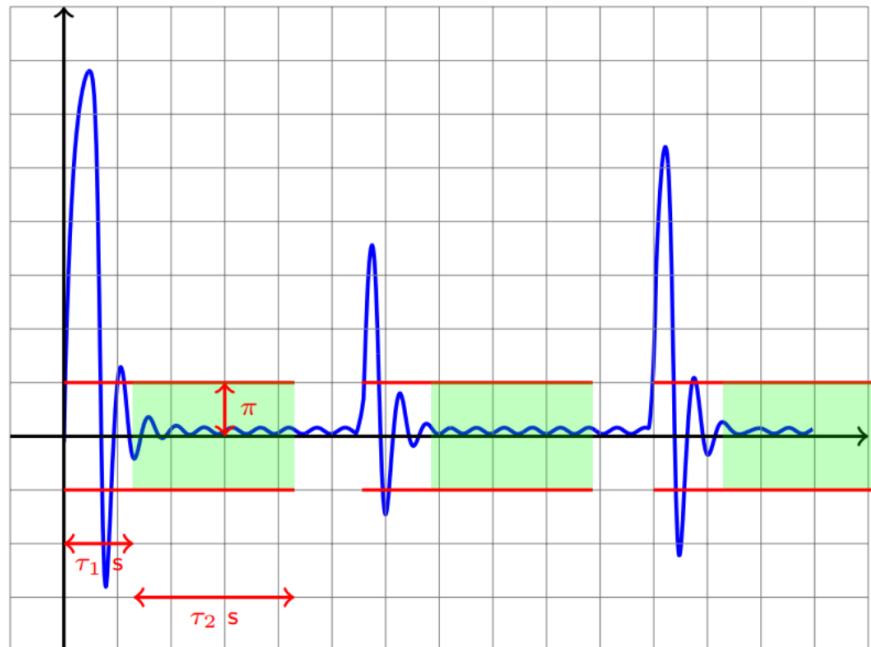
MTL : $G (\text{torque applied} \rightarrow F_{[0,10]} (\text{turn complete}))$ [real time]

STL : $G (\text{torque} \geq 0 \rightarrow F_{[0,10]} (\text{turn angle} \geq 90))$ [real valued + real time]

Learning Signal Temporal Logic

$$\varphi := G \left(x[t] > \pi \rightarrow F_{[0, \tau_1]} \left(G_{[0, \tau_2]} x[t] < \pi \right) \right)$$

- Valuation 1: $\pi \leftarrow 1.5$, $\tau_1 \leftarrow 1$ s, $\tau_2 \leftarrow 1.15$ s
- Valuation 2 (tight): $\pi \leftarrow .5$, $\tau_1 \leftarrow 0.65$ s, $\tau_2 \leftarrow 2$ s



Challenge

Multiple possible values for the same parameter.

Select tightest parameter!

Given a set of traces, learn parameter values for the template STL formula that is consistent with all the examples.

Learning Using Tightness Metric

Constrained Multiobjective Optimization Problem

$$\text{minimize } \{|\epsilon_1|, |\epsilon_2|, \dots, |\epsilon_k|\} \text{ s.t.}$$

$$\epsilon_1 = p_1 - p'_1, \epsilon_2 = p_2 - p'_2, \dots, \epsilon_k = p_k - p'_k$$

$$\forall \tau \in \mathcal{T} \ \tau \models \phi(p_1, p_2, \dots, p_k), \ \exists \tau' \in \mathcal{T} \ \tau' \not\models \phi(p'_1, p'_2, \dots, p'_k)$$

Satisfaction of STL

Qualitative

$$(\mathbf{x}, t) \models \mu \quad \Leftrightarrow \quad f(x_1[t], \dots, x_n[t]) > 0$$

$$(\mathbf{x}, t) \models \varphi \wedge \psi \quad \Leftrightarrow \quad (x, t) \models \varphi \wedge (x, t) \models \psi$$

$$(\mathbf{x}, t) \models \neg \varphi \quad \Leftrightarrow \quad \neg((x, t) \models \varphi)$$

$$(\mathbf{x}, t) \models \varphi \mathcal{U}_{[a,b]} \psi \quad \Leftrightarrow \quad \exists t' \in [t+a, t+b] \text{ such that } (x, t') \models \psi \wedge \forall t'' \in [t, t'], (x, t'') \models \varphi$$

Robustness

$$f(x_1[t], \dots, x_n[t]) > 0$$

$$-\chi^\varphi(x, t)$$

$$\min(\chi^{\varphi_1}(x, t), \chi^{\varphi_2}(w, t))$$

$$\max_{\tau \in t+[a,b]} (\min(\chi^{\varphi_2}(x, \tau), \min_{s \in [t, \tau]} \chi^{\varphi_1}(x, s)))$$

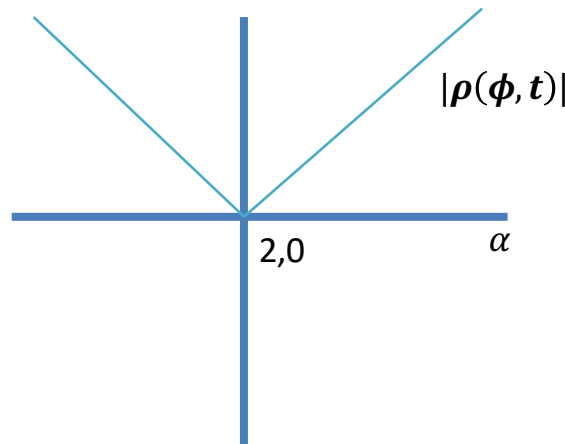
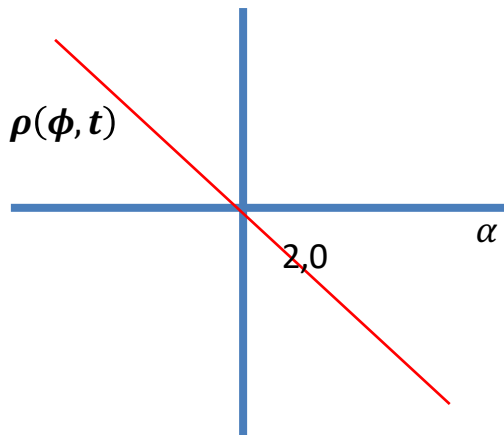
Learning STL

Formula to learn ϕ : $F_{[0,0.5]}(x \geq \alpha)$ from set of traces example T

Let us assume that $\alpha = 2$ is the tightest parameter for T

Robustness metric

Absolute value of robustness metric



Find α that minimizes $|\rho(\phi(\alpha), t)|$

Problems:

- Non-differential close to optimum
- Could learn false property even when close to optimum

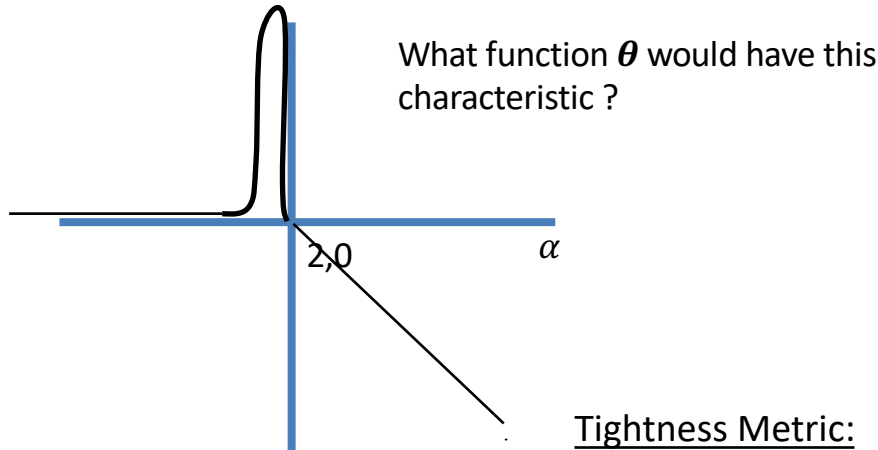
Learning STL with Tightness Metric

TeLEx: Passive STL Learning Using Only Positive Examples. Susmit Jha, Ashish Tiwari, Sanjit A. Seshia, Natarajan Shankar, and Tuhin Sahai. 17th International Conference on Runtime Verification (RV), 2017

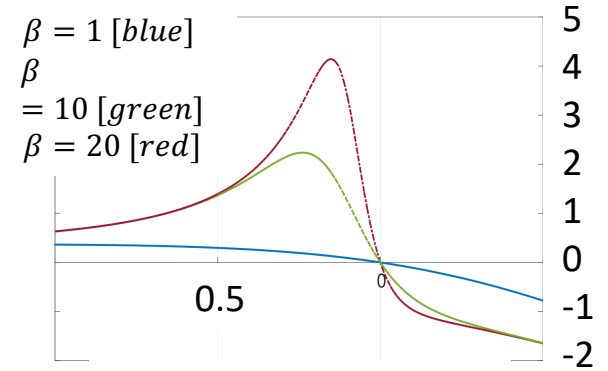
Formula to learn $\phi : F_{[0,0.5]}(x \geq \alpha)$ from set of traces example T

Let us assume that $\alpha = 2$ is the tightest parameter for T

Practical Metric (Correctness + differentiability for optimization)



$$\frac{1}{r + e^{-\beta r}} - e^{-r}$$



Tightness Metric: The tightness metric $\theta : \mathcal{F} \times \mathcal{T} \times ST \mapsto \mathbb{R} \cup \{-\infty, \infty\}$ maps an STL formula $\phi \in \mathcal{F}$, a trace $\tau \in \mathcal{T}$, and a sampled time instance $t \in ST$ to a real value s.t.:

- $\theta(\top, \tau, t) = \infty$, $\theta(\perp, \tau, t) = -\infty$
- $\theta(\mu, \tau, t) = P(g(\tau(t)) - \alpha)$ where $\mu(\mathbf{x}) := (g(\mathbf{x}) \geq \alpha)$
- $\theta(\phi_1 \wedge \phi_2, \tau, t) = \min(\theta(\phi_1, \tau, t), \theta(\phi_2, \tau, t))$
- $\theta(\phi_1 \vee \phi_2, \tau, t) = \max(\theta(\phi_1, \tau, t), \theta(\phi_2, \tau, t))$
- $\theta(\mathbf{F}_{[t_1, t_2]}\phi, \tau, t) = C(\gamma, t_1, t_2) \sup_{t' \in [t+t_1, t+t_2]} \theta(\phi, \tau, t')$
- $\theta(\mathbf{G}_{[t_1, t_2]}\phi, \tau, t) = E(\gamma, t_1, t_2) \inf_{t' \in [t+t_1, t+t_2]} \theta(\phi, \tau, t')$
- $\theta(\phi_1 \mathbf{U}_{[t_1, t_2]}\phi_2, \tau, t) = E(\gamma, t_1, t_2) \sup_{t' \in [t+t_1, t+t_2]} (\min(\theta(\phi_2, \tau, t'), \inf_{t'' \in [t, t']} \theta(\phi_1, \tau, t'')))$

Learning Using Tightness Metric

Constrained Multiobjective Optimization Problem

$$\begin{aligned} & \text{minimize } \{|\epsilon_1|, |\epsilon_2|, \dots, |\epsilon_k|\} \text{ s.t.} \\ & \epsilon_1 = p_1 - p'_1, \epsilon_2 = p_2 - p'_2, \dots, \epsilon_k = p_k - p'_k \\ & \forall \tau \in \mathcal{T} \ \tau \models \phi(p_1, p_2, \dots, p_k), \ \exists \tau' \in \mathcal{T} \ \tau' \not\models \phi(p'_1, p'_2, \dots, p'_k) \end{aligned}$$

Unconstrained Scalar Optimization Problem

$$(v_1^*, v_2^*, \dots, v_k^*) = \arg \max_{p_1, p_2, \dots, p_k} \left[\min_{\tau \in \mathcal{T}} \theta(\phi(p_1, p_2, \dots, p_k), \tau, 0) \right]$$

Example Results



Safe Driving is more than adherence to traffic rules.



220GB of driving data:
Instrumented car (2016
Lincoln MKZ) driving along
El Camino Real (San
Francisco Bay Area). A
mixture of turns and
straight driving.

The speed of the car must be below some upper bound $a \in [15, 25]$ if the angle is larger than 0.2 or below -0.2. Intuitively, this property captures required slowing down of the car when making a significant turn.

Template STL: $G[0, 2.2e11](((angle \geq 0.2)|(angle \leq -0.2)) \Rightarrow (speed \leq a?15; 25))$

Synthesized STL: $G[0.0, 2.2e11](((angle \geq 0.2)|(angle \leq -0.2)) \Rightarrow (speed \leq 22.01))$

Performance: Tightness Metric = 0.067, Robustness Metric = 0.004

Runtime: 8.64 seconds

Example Results



Safe Driving is more than adherence to traffic rules.

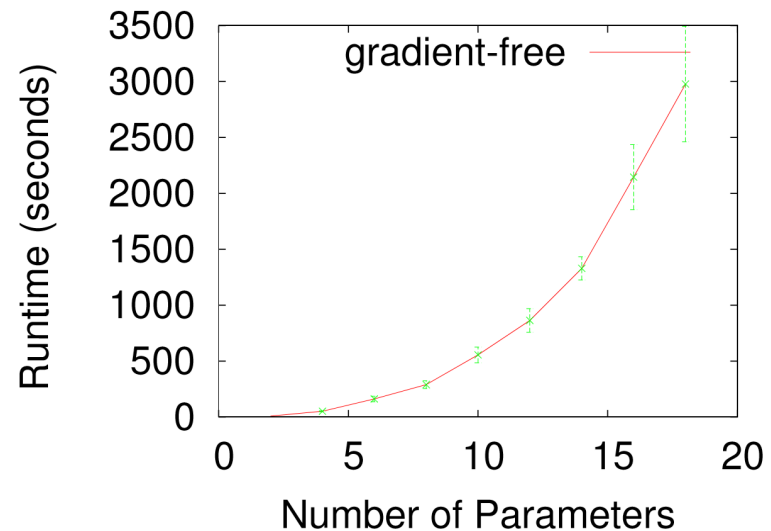
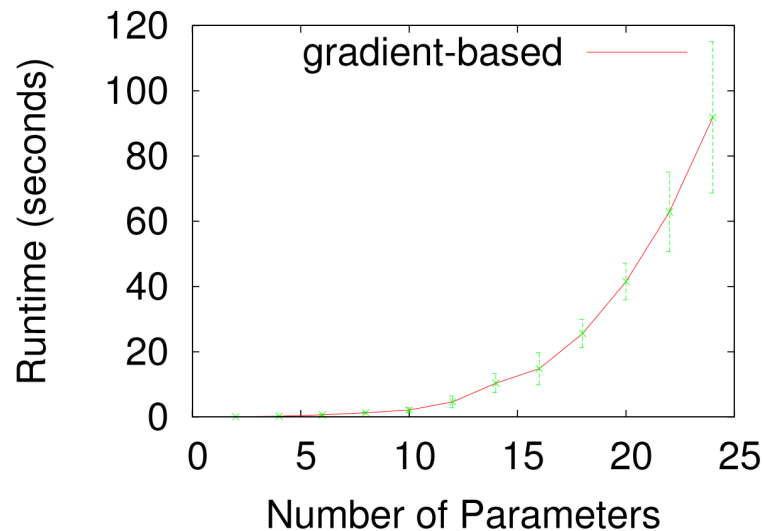


220GB of driving data:
Instrumented car (2016
Lincoln MKZ) driving along
El Camino Real (San
Francisco Bay Area). A
mixture of turns and
straight driving.

Another property of interest is to ensure that when the turn angle is high (say, above 0.06), the magnitude of negative torque applied is below a threshold. This avoids unsafe driving behavior of making late sharp compensation torques to avoid wide turns.

Template STL: $G[0, 2.2e11]((angle \geq 0.06) \Rightarrow (torque \geq b? - 2; -0.5))$
Synthesized STL: $G[0.0, 2.2e11]((angle \geq 0.06) \Rightarrow (torque \geq -1.06))$
Performance: Tightness Metric = 0.113, Robustness Metric = 0.003
Runtime: 7.30 seconds

Impact of Smoothness of θ



TeLex: Passive STL Learning Using Only Positive Examples.

Susmit Jha, Ashish Tiwari, Sanjit A. Seshia, Natarajan Shankar, and Tuhin Sahai.

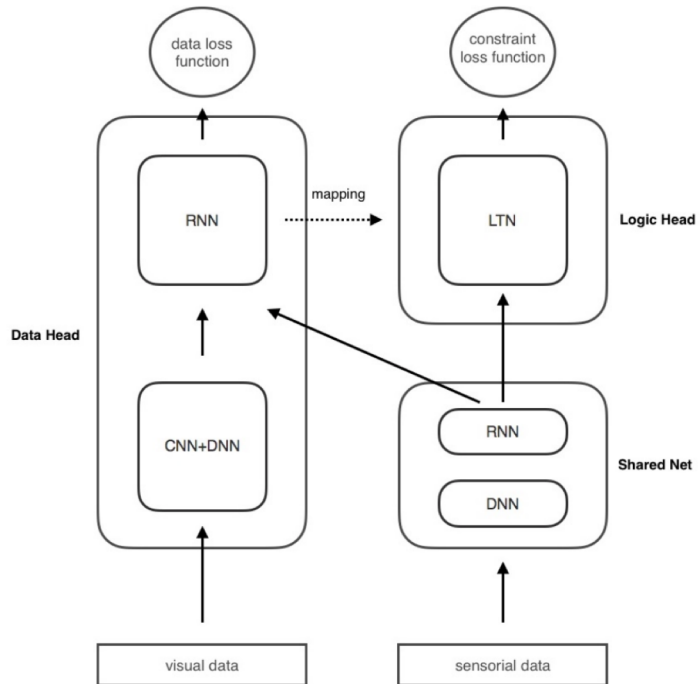
17th International Conference on Runtime Verification (RV), 2017

<https://github.com/susmitjha/TeLEX>

Bombara, Giuseppe, Cristian-Ioan Vasile, Francisco Penedo, Hirotoshi Yasuoka, and Calin Belta. "A decision tree approach to data classification using signal temporal logic."

In Proceedings of the 19th International Conference on Hybrid Systems: Computation and Control, pp. 1-10. ACM, 2016.

Application to Safe Autonomous Control

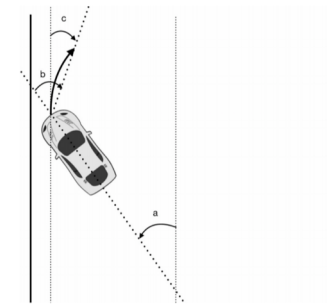


Proximal gradient-descent

$$\min_w \ell(o, o') + \lambda g(o') \quad \text{s.t. } o' = f(w, i)$$

$$w_{t+1/2} = w_t - \eta_t \partial \ell(w_t)$$

$$w_{t+1} = \arg \min_w \left(\frac{1}{2} \|w - w_{t+1/2}\|^2 + \eta_t \lambda g(w) \right)$$



Geometric variables in the TORCS

Trusted Neural Networks for Safety-Constrained Autonomous Control.

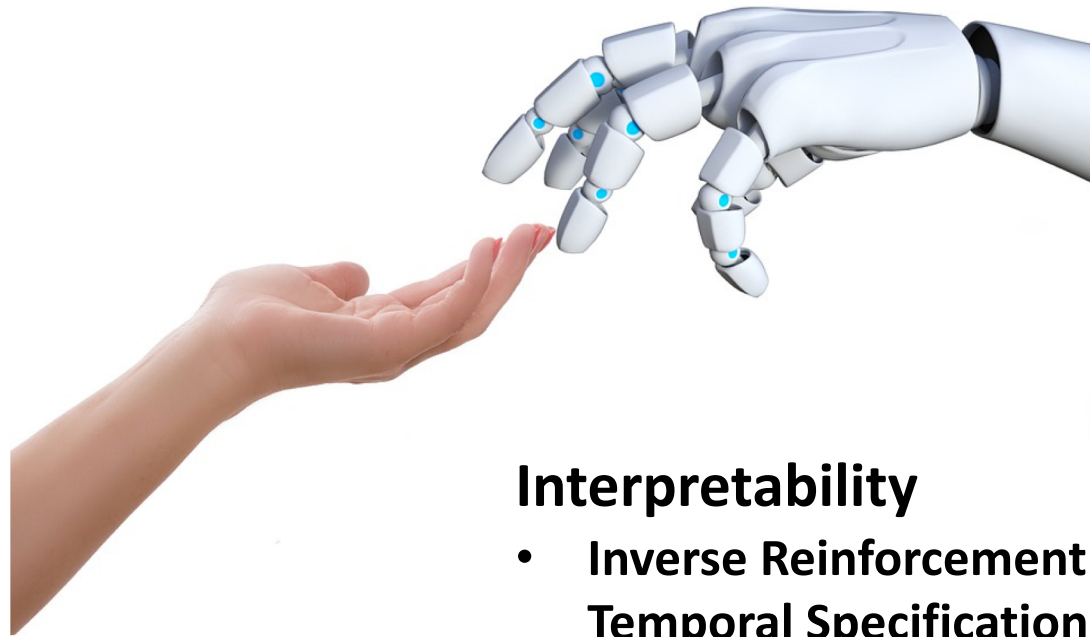
Shalini Ghosh, Amaury Mercier, Dheeraj Pichapati, Susmit Jha, Vinod Yegneswaran, Patrick Lincoln. SCA/ICML, May, 2018

Verma, A., Murali, V., Singh, R., Kohli, P., & Chaudhuri, S. Programmatically interpretable reinforcement learning. ICML, 2018

Rest of the Talk

Trust

- Global Assume/Guarantee Contracts on DNNs
- Extracting and Integrating Temporal Logic into Learned Control



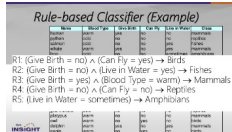
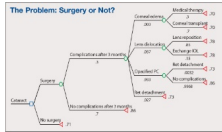
Interpretability

- Inverse Reinforcement Learning of Temporal Specifications

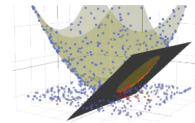
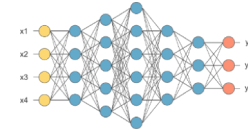
Resilience

- Adversarial Robustness

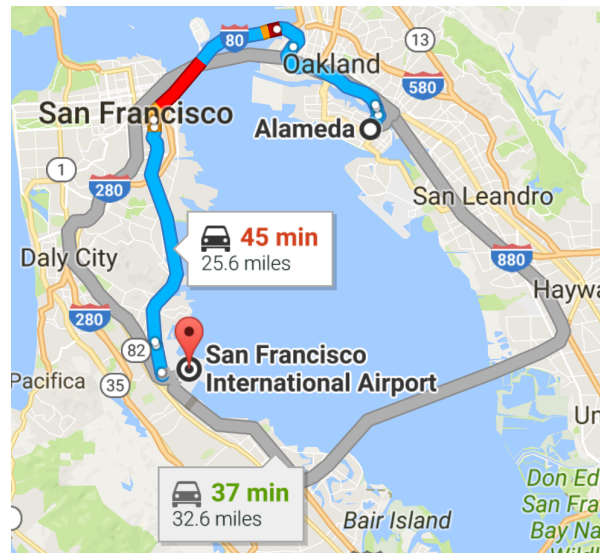
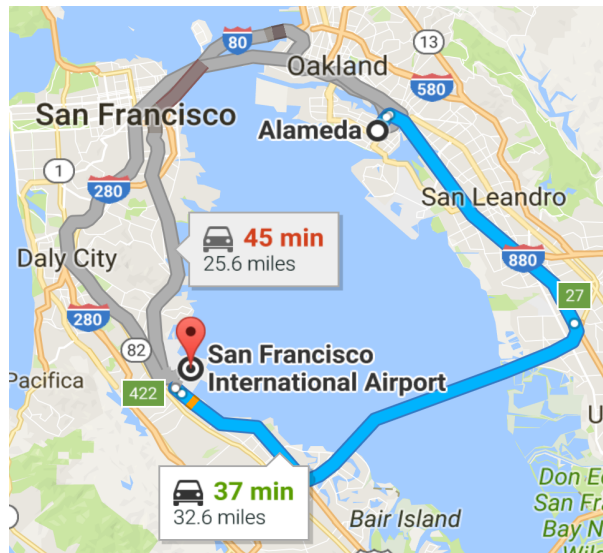
Need for explanation



Interpretable but less scalable:
Decision Trees, Linear Regression



Scalable but less interpretable :
Neural Networks, Support Vector
Machines



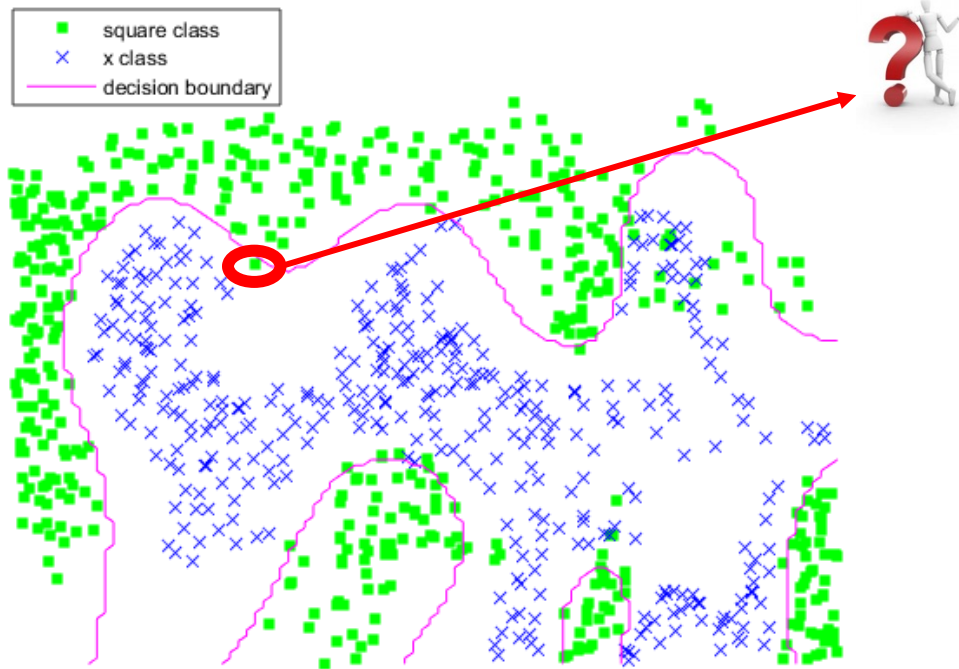
- This route is faster.
- There is traffic on Bay Bridge.
- There is an accident just after Bay Bridge backing up traffic.



Why did we take the San Mateo bridge instead of the Bay Bridge ?

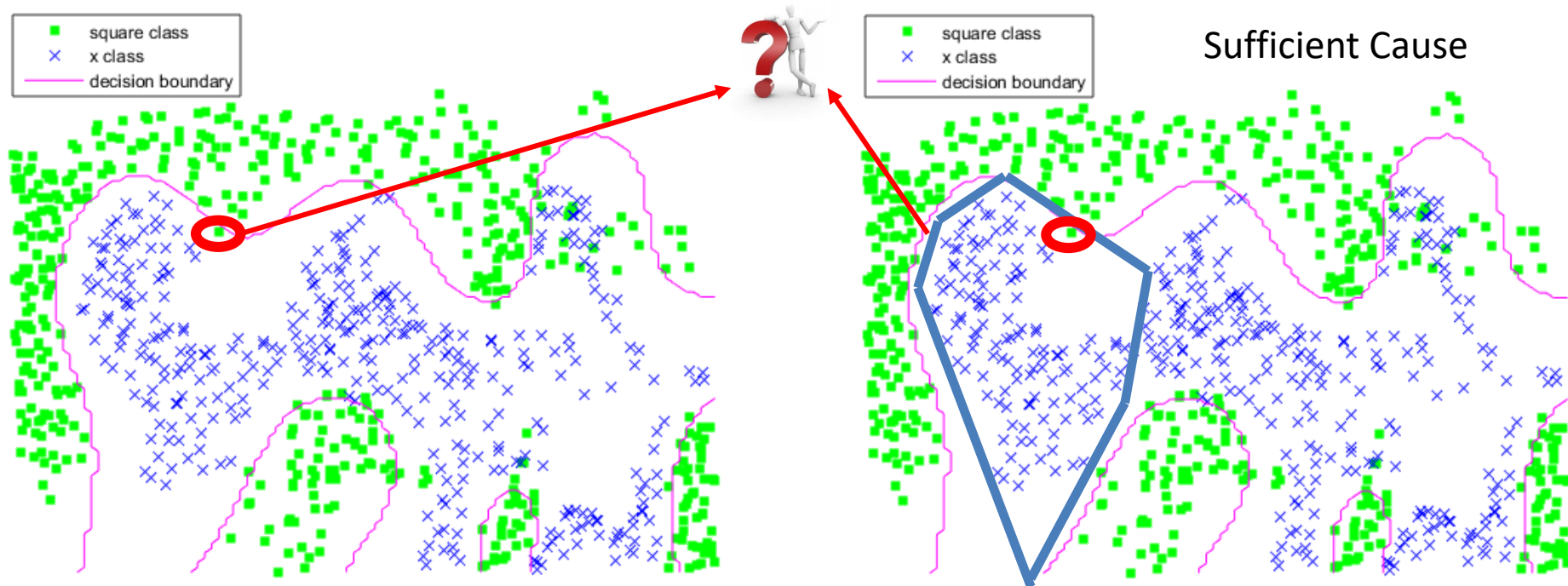
Local Explanations of Complex Models

Not reverse engineering an ML model but finding explanation locally for one decision.



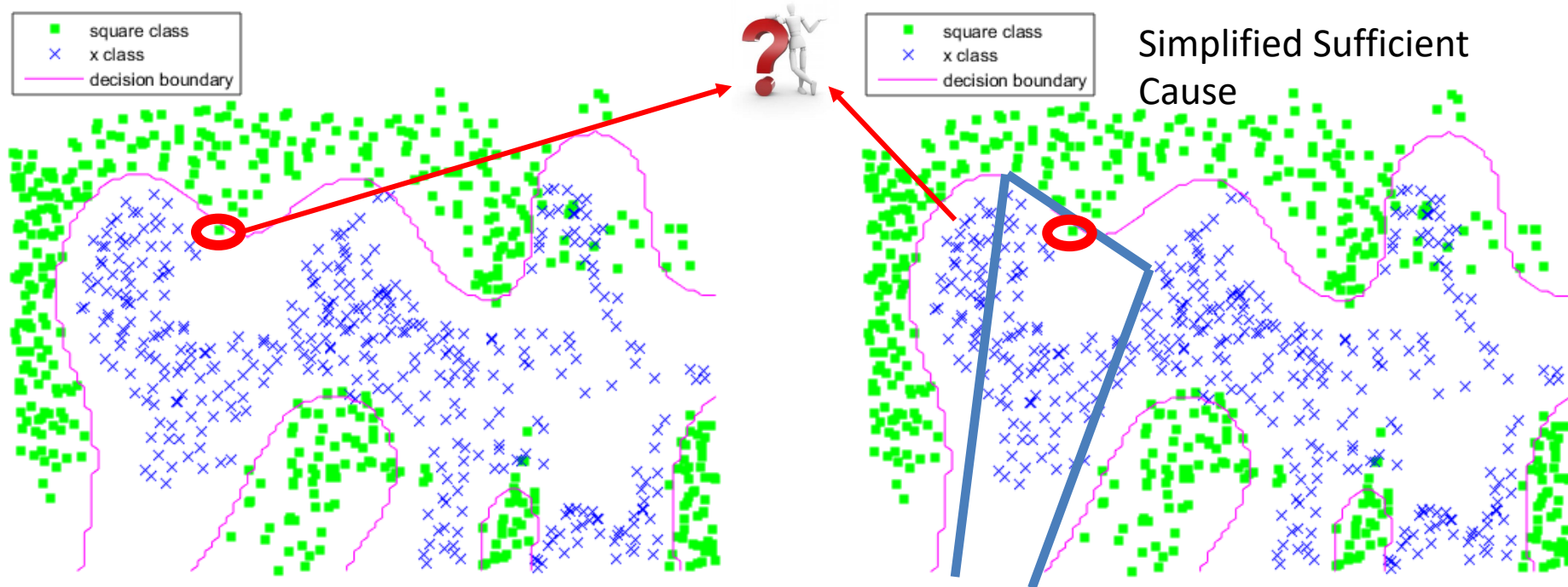
Local Explanations of Complex Models

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Local Explanations of Complex Models

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Local Explanations in AI

Not reverse engineering an ML model but finding explanation locally for one decision.

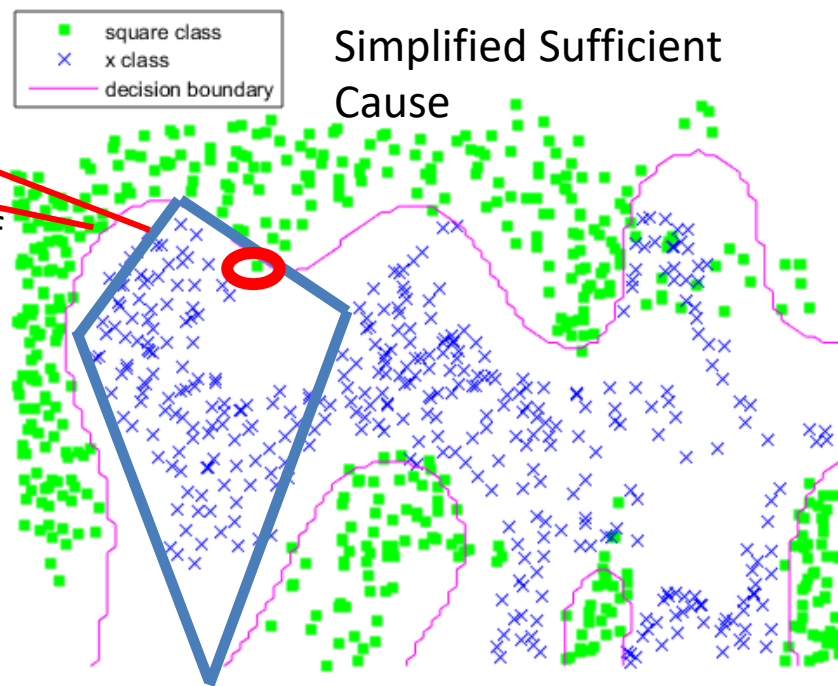
$$\xi(x) = \operatorname{argmin}_{g \in G} \mathcal{L}(f, g, \pi_x) + \Omega(g)$$

$\mathcal{L}(f, g, \pi_x)$ Measure of how well g approximates f

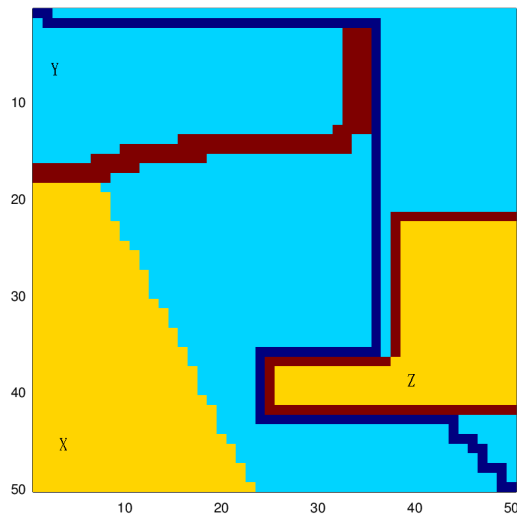
$\Omega(g)$ Measure of complexity of g

Formulation in AI:

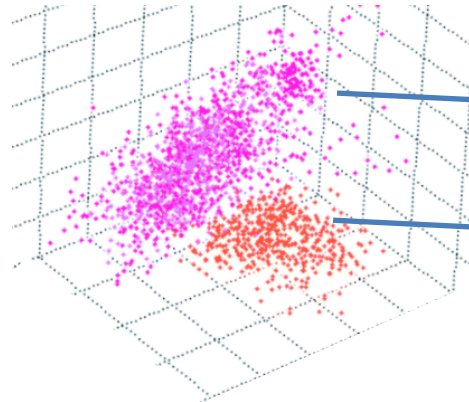
- Ribeiro, Marco Tulio, Sameer Singh, and Carlos Guestrin. "Why Should I Trust You?: Explaining the Predictions of Any Classifier." *International Conference on Knowledge Discovery and Data Mining*. ACM, 2016.
- Hayes, Bradley, and Julie A. Shah. "Improving Robot Controller Transparency Through Autonomous Policy Explanation." *International Conference on Human-Robot Interaction*. ACM, 2017.



Model Agnostic Explanation through Boolean Learning



Why does the path not go through Green?



Let each point in k -dimensions
(for some k) correspond to a
map.

Maps in which optimum path goes via green

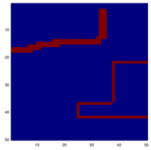
Maps in which optimum path does not go via green

Find a Boolean formula ϕ such that

$$\phi \Leftrightarrow Path \text{ contain } z$$

$$\phi \Rightarrow \textit{Path contain } z$$

Explanations as Learning Boolean Formula



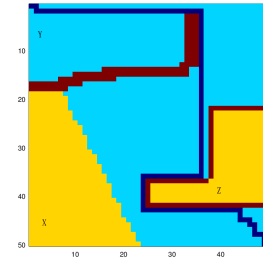
Algorithm 1: A^*

Input: start, goal($v_g, h(v), \text{space}(v)$)
 Output: path

```

1 if goal(start) = true then return isolatedPath(start)
2
3 open ← start
4 closed ← ∅
5 while open ≠ ∅ do
6   sort(open)
7    $n \leftarrow \text{extract}(1)$ 
8    $kids \leftarrow \text{expand}(n)$ 
9   for all the kid  $k$  kids do
10     $dist, f \leftarrow \{n.g + 1\} + h(kid)$ 
11    if goal(kid) = true then return concatPath(start, kid)
12    if  $kid \notin closed$  then open ← kid
13   closed ← n
14 return ∅
```

A^*



$\phi_{explain}$:
 Using explanation vocabulary
 Ex: Obstacle presence

ϕ_{query} :
 Some property of the output
 Ex: Some cells not selected

$$\phi_{explain} \Rightarrow \phi_{query}$$

$$\phi_{explain} \Leftrightarrow \phi_{query}$$

How difficult is it? Boolean formula learning

$$\phi_{explain} \Rightarrow \phi_{query}$$

$$\phi_{explain} \Leftrightarrow \phi_{query}$$

50x50 grid has $2^{50 \times 50}$ possible explanations even if vocabulary only considers presence/absence of obstacles.

Scalability: Usually the feature space or vocabulary is large. For a map, its order of features in the map. For an image, it is order of the image's resolution.

Guarantee: Is the sampled space of maps enough to generate the explanation with some quantifiable probabilistic guarantee?

How difficult is it? Boolean formula learning

$$\begin{aligned}\phi_{explain} &\Rightarrow \phi_{query} \\ \phi_{explain} &\Leftrightarrow \phi_{query}\end{aligned}$$

50x50 grid has $2^{2^{50 \times 50}}$ possible explanations even if vocabulary only considers presence/absence of obstacles.

Scalability: Usually the feature space or vocabulary is large. For a map, its order of features in the map. For an image, it is order of the image's resolution.

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On PAC learning algorithms for rich Boolean function classes

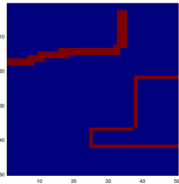
Rocco A. Servedio*

Department of Computer Science
Columbia University
New York, NY U.S.A.
rocco@cs.columbia.edu

Theoretical Result:

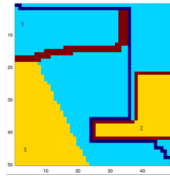
Learning Boolean formula even approximately is hard. 3-DNF is not learnable in Probably Approximately Correct framework unless $RP = NP$.

Two Key Ideas



```
Algorithm 1: A*
Input: start, goal(x), f(x), g(x), h(x)
Output: path
1 if goal(x) == f(x) then return path(x,goal)
2
3 g(x) ← ∞
4 closed ← ∅
5 while g(x) ≠ 0 do
6   u ← choose(x)
7   h(u) ← g(x) + h(x)
8   if u is not in closed then
9     add u to closed
10    if u == goal then return path(x,goal)
11    if u is not in closed then g(u) ← h(u)
12  closed ← ∅
13 return ∅
```

A*



ϕ_{query} :

Some property of the output
Ex: Some cells not selected

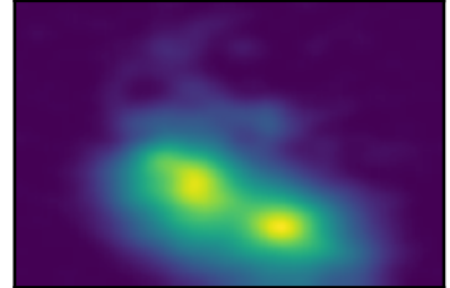
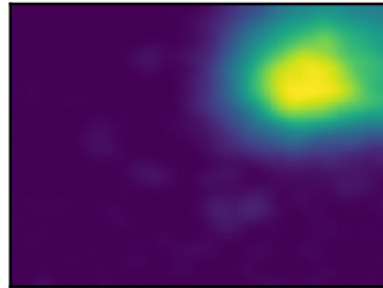
1. Vocabulary is large.
2. How many samples (and what distribution) to consider for learning explanation ?
3. Learning Boolean formula with PAC guarantees is hard.



Active learning Boolean formula $\phi_{explain}$ and not learning from fixed sample.

Explanations are often short and involve only few variables !

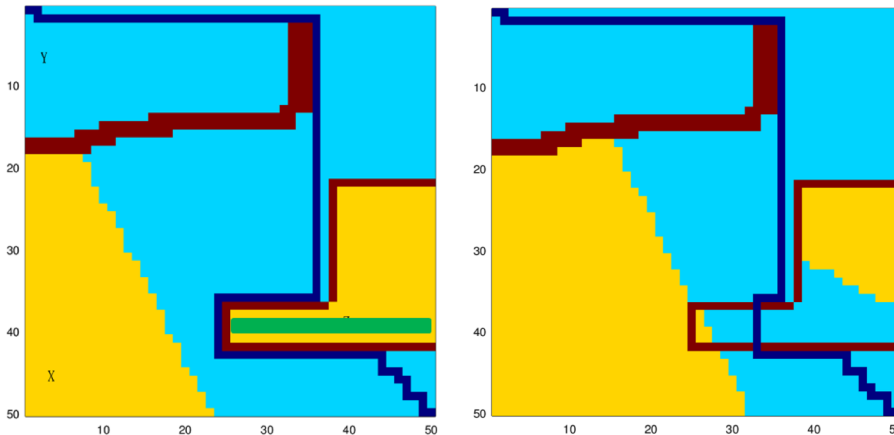
Two Key Ideas



Active learning Boolean formula $\phi_{explain}$ and not learning from fixed sample.

Explanations are often short and involve only few variables !

Two Key Ideas



Involves only two variables.
If we knew which two, we had
only $2^{2^2} = 16$
possible explanations.

**How do we find these relevant
variables?**

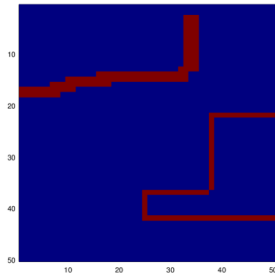


Active learning Boolean formula $\phi_{explain}$ and not learning from fixed sample.

Explanations are often short and involve only few variables !

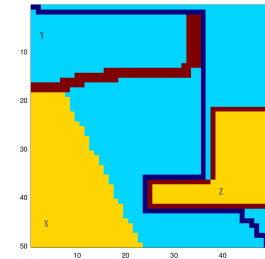
Actively Learning Boolean Formula

Oracle



Algorithm 1: A^*
 Input: start, goal(v_1, v_2), $openSet$
 Output: path
 1 if goal(start) = true then return $path[start]$
 2
 3 $open \leftarrow start$
 4 $closed \leftarrow \emptyset$
 5 while $open \neq \emptyset$ do
 6 $u \leftarrow \text{select}(open)$
 7 $u \leftarrow \text{expand}(u)$
 8 $u \leftarrow \text{insert}(u)$
 9 for all the $kid \in kids$ do
 10 $kid.f \leftarrow (u.g + 1) + h(kid)$
 11 if goal(kid) = true then return $concat(path[u], kid)$
 12 if $kid \in closed$ then $open \leftarrow kid$
 13 $closed \leftarrow u$
 14 return $\emptyset$

A^*



ϕ_{query} :
 Some property of the output
 Ex: Some cells not selected

ϕ

Evaluates assignments and returns T,F



Assignments to V
 $m1 = (0,0,0,1,1,0,1)$
 $m2 = (0,0,1,1,0,1,0)$

$\phi_{explain}(V)$:
 Using explanation vocabulary
 Ex: Obstacle presence



Actively Learning Relevant Variables

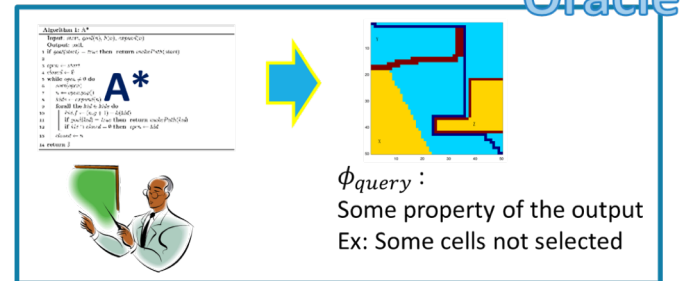
Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

ϕ_{explain} is sparse

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Assignments to V
 $m1 = (0,0,0,1,1,0,1)$



$m1 : \text{True}$

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

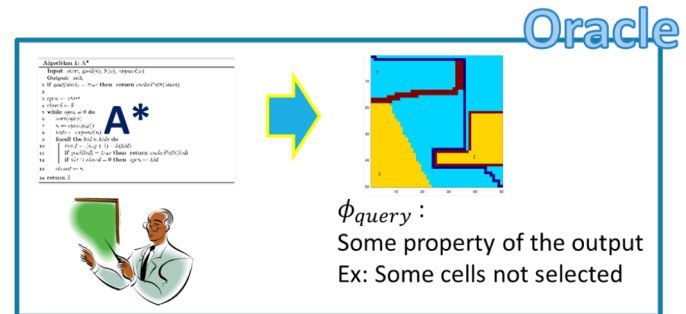
Assignments to V

$m1 = (0,0,0,1,1,0,1)$

$m2 = (0,0,1,1,0,1,0)$



Random Sample Till
Oracle differs



$m1$: True, $m2$: False

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Assignments to V

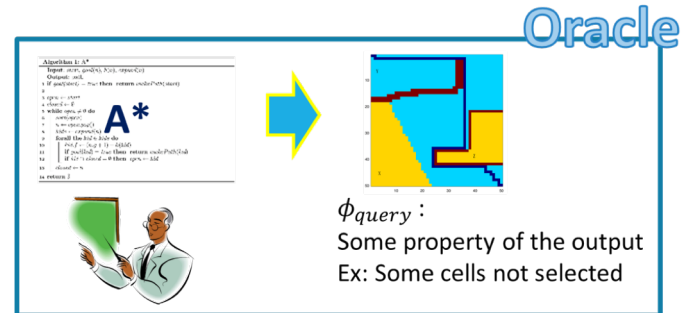
$m1 = (0,0,0,1,1,0,1)$

$m2 = (0,0,1,1,0,1,0)$

$m3 = (0,0,0,1,1,1,0)$



Binary Search Over
Hamming Distance



$m1$: True, $m2$: False

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Assignments to V

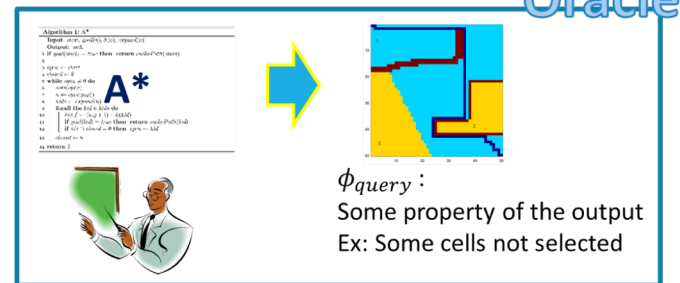
$m1 = (0,0,0,1,1,0,1)$

$m2 = (0,0,1,1,0,1,0)$

$m3 = (0,0,0,1,1,1,0)$



Binary Search Over
Hamming Distance



$m1$: True, $m2$: False
 $m3$: True

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Hamming
Distance = 4

Assignments to V

~~$m1 = (0,0,0,1,1,0,1)$~~

$m2 = (0,0,1,1,0,1,0)$

$m3 = (0,0,0,1,1,1,0)$

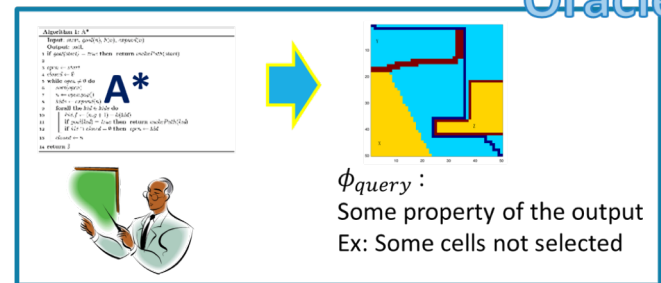
Hamming
Distance = 2



Binary Search Over
Hamming Distance



Oracle



~~$m1$: True, $m2$: False~~
 $m3$: True

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Hamming
Distance = 2

Assignments to V

$m2 = (0,0,1,1,0,1,0)$

$m3 = (0,0,0,1,1,1,0)$

$m4 = (0,0,1,1,1,1,0)$

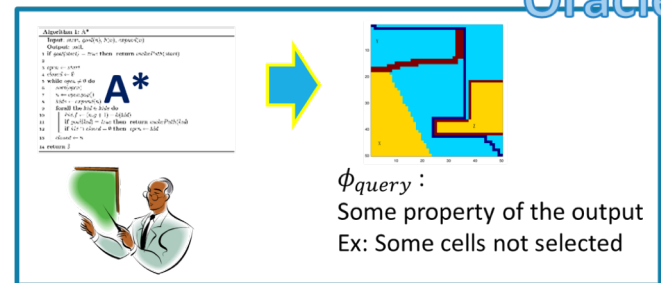
Hamming
Distance = 1



Binary Search Over
Hamming Distance



Oracle



$m2$: False, $m3$: True
 $m4$: True

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Hamming
Distance = 2

Assignments to V

$m_2 = (0,0,1,1,0,1,0)$

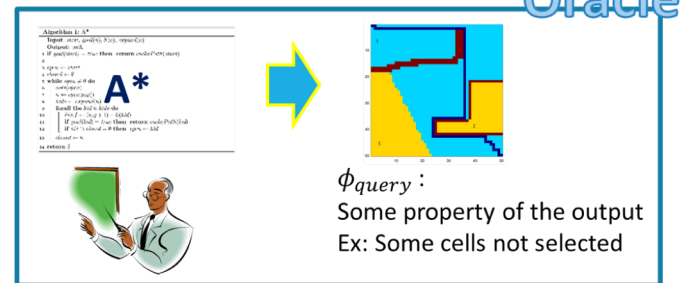
~~$m_3 = (0,0,0,1,1,1,0)$~~

$m_4 = (0,0,1,1,1,1,0)$

Hamming
Distance = 1



Binary Search Over
Hamming Distance



m_2 : False, ~~m_3 : True~~
 m_4 : True

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Hamming
Distance = 1

Assignments to V

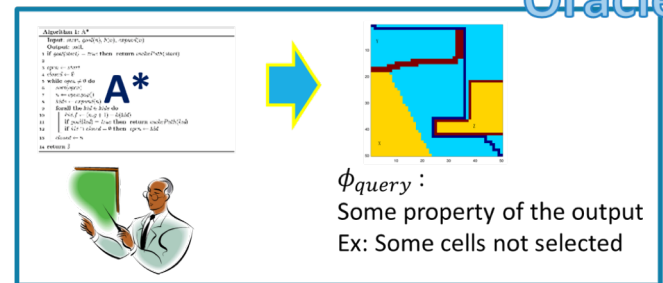
$$m_2 = (0, 0, 1, 1, 0, 1, 0)$$
$$m_4 = (0, 0, 1, 1, 1, 1, 0)$$

Fifth variable v_5 is relevant !!



Binary Search Over Hamming Distance

Oracle



m2: False, m4: True

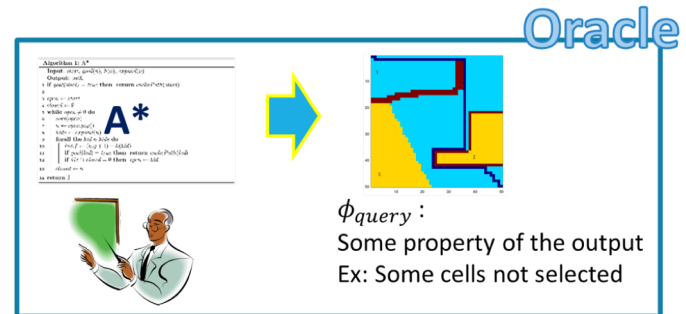
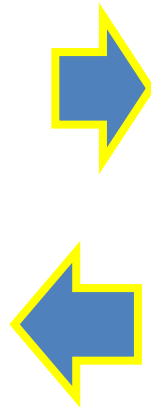
Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Repeat to find all
relevant variables



Binary Search Over
Hamming Distance



m2: False, m4: True

Actively Learning Relevant Variables

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

For each assignment
to relevant variables



Random Sample
Till Oracle differs

$$2^{|U|}$$

$$\ln(1/(1 - \kappa))$$



Binary Search Over
Hamming Distance

$$\ln(|V|)$$

Relevant variables of ϕ_{explain} found with confidence κ in
 $2^{|U|} \ln(|V|/(1 - \kappa))$

Actively Learning Boolean Formula

Find U such that $\phi_{\text{explain}}(V) \equiv \phi_{\text{explain}}(U)$ where $|U| \ll |V|$

Used distinguishing example based approach from ICSE'10

Susmit Jha, Sumit Gulwani, Sanjit A Seshia, and Ashish Tiwari. Oracle-guided component-based program synthesis. In *2010 ACM/IEEE 32nd International Conference on Software Engineering*, volume 1, pages 215–224. IEEE, 2010.

Scales to ~200 variables

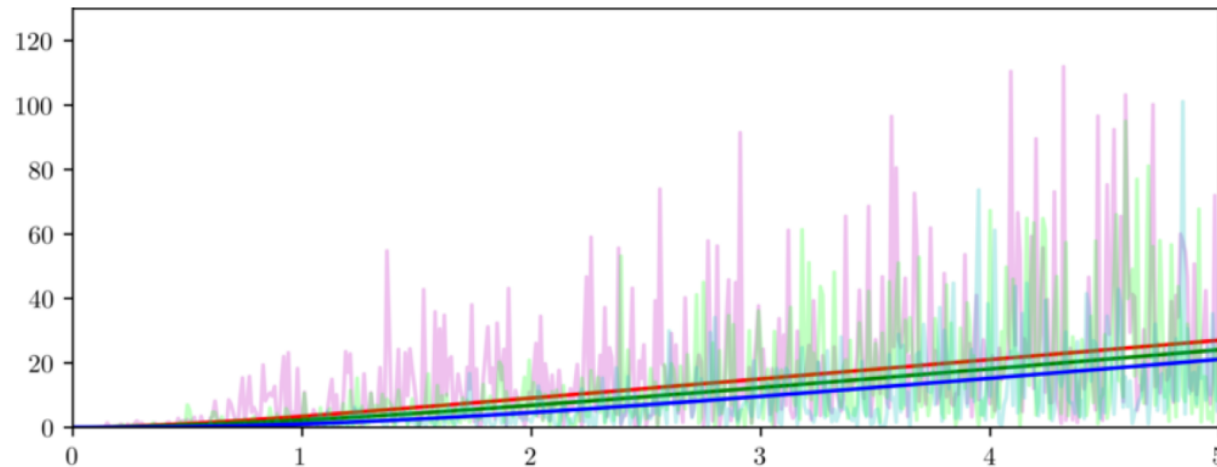
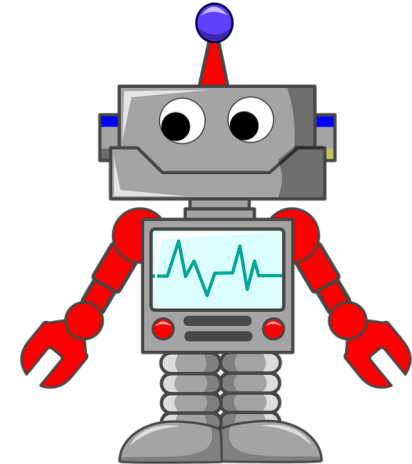
ϕ_{explain} found with confidence κ in
 $O(2^{|U|} \ln(|V|/(1 - \kappa)))$



Build Truth Table for the relevant variables U

Worst Case: $2^{|U|}$

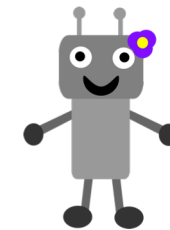
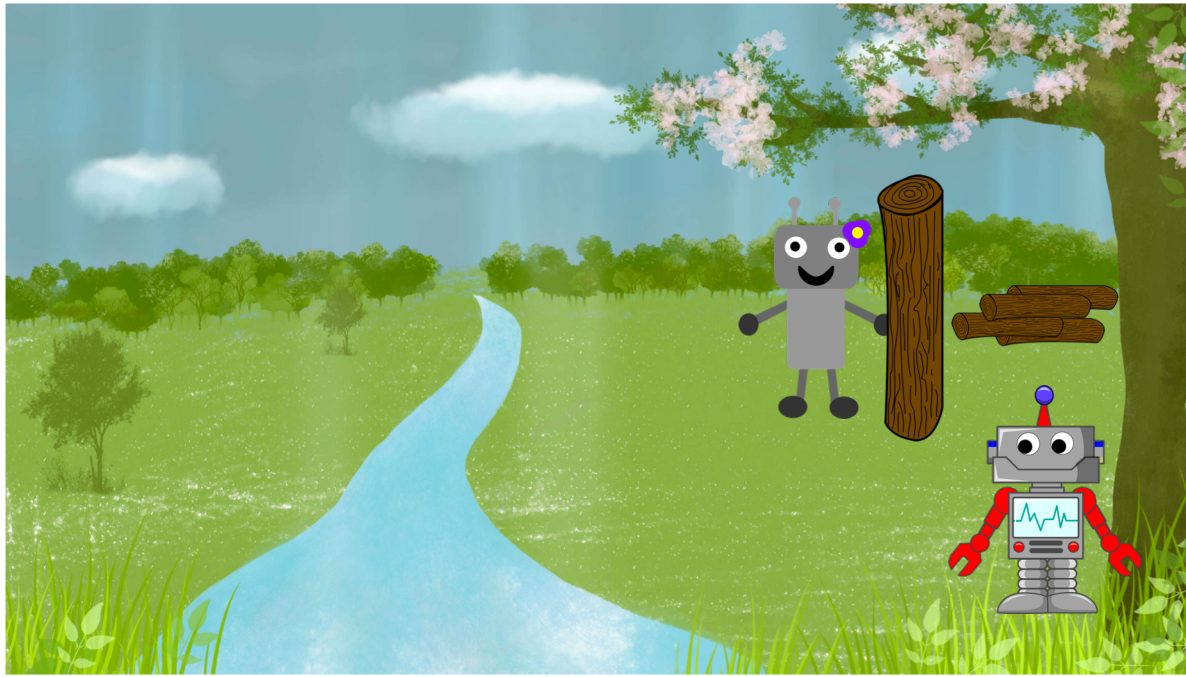
Interpretability: Observed Time Traces



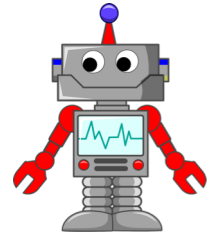
1. Noisy 2. Large corpus and not selected examples 3. Opportunity to query

Interpretable Learning for Shared Intentionality

Inferring and Conveying Intentionality: Beyond Numerical Rewards to Logical Intentions. Susmit Jha and John Rushby. AAAI Spring Symposium on Conscious AI Systems, 2019



Alice



Bob

Humans can undertake novel, collective behavior, or **teamwork**. Capability to **communicate** goals, plans and ideas to create shared intentionality

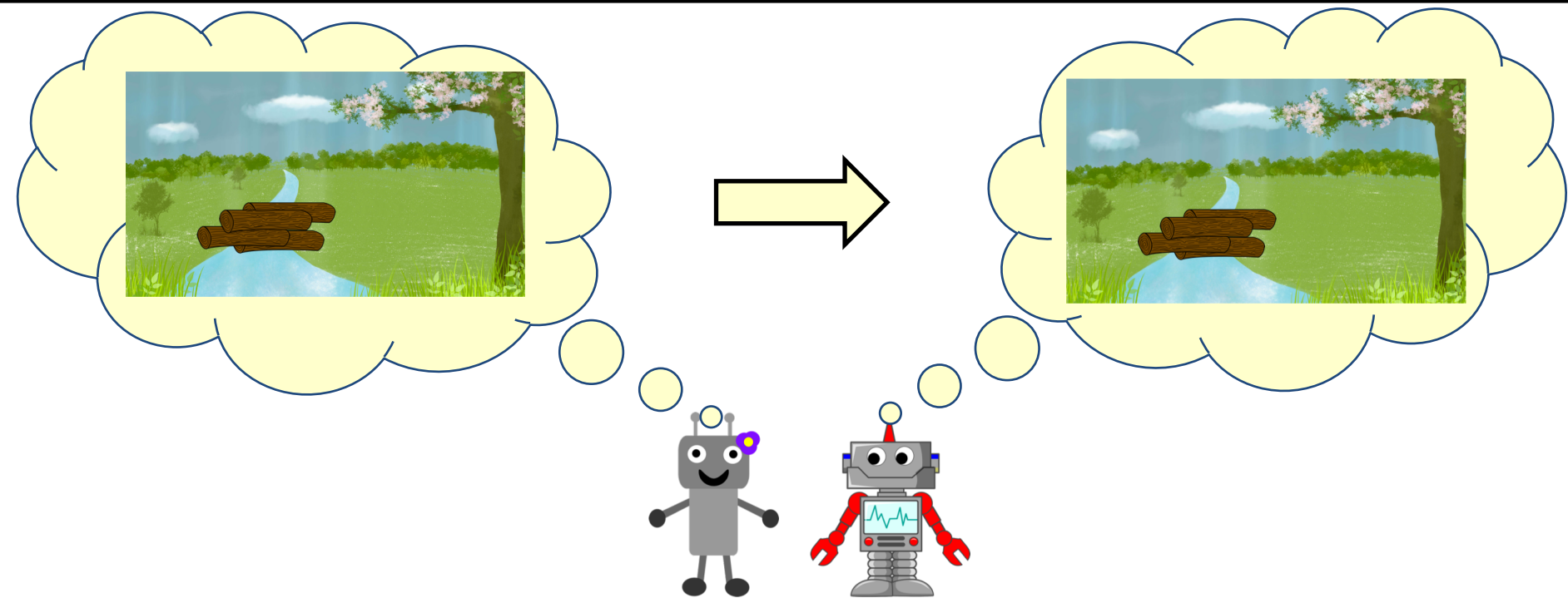
Consider two autonomous agents Alice and Bob with cognition capability.

Alice can invent a novel behavior – use tree logs to try and build a bridge.

How will Bob, who is watching Alice, understand Alice's goal and assist her ?

Alice's mental state needs to be recreated in Bob's brain for Bob to collaborate with Alice.

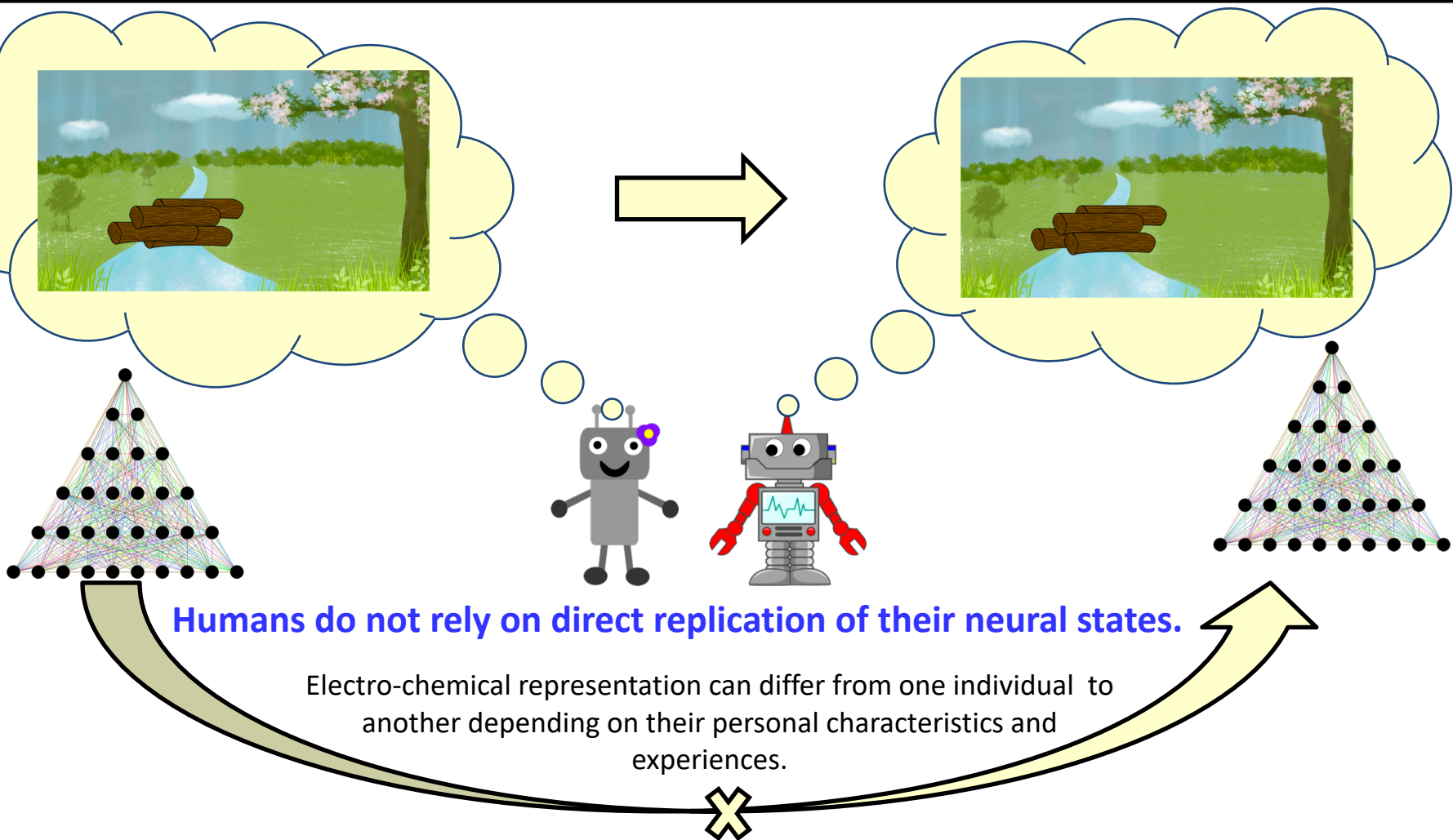
Interpretable Learning for Shared Intentionality



Alice's mental state needs to be recreated in Bob's brain for Bob to collaborate with Alice.

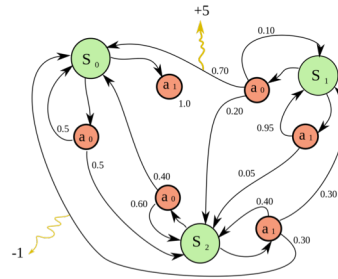
Shared Intentionality: Mental Cloning?

Gweon, H., Saxe, R. (2013). Developmental cognitive neuroscience of Theory of Mind. *Neural Circuit Development and Function in the Brain: Comprehensive Developmental Neuroscience*.



Alice's mental state needs to be recreated in Bob's brain for Bob to collaborate with Alice.

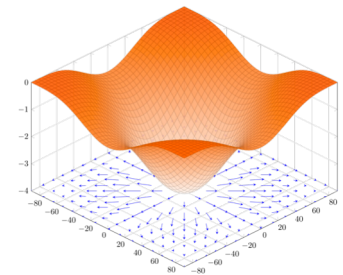
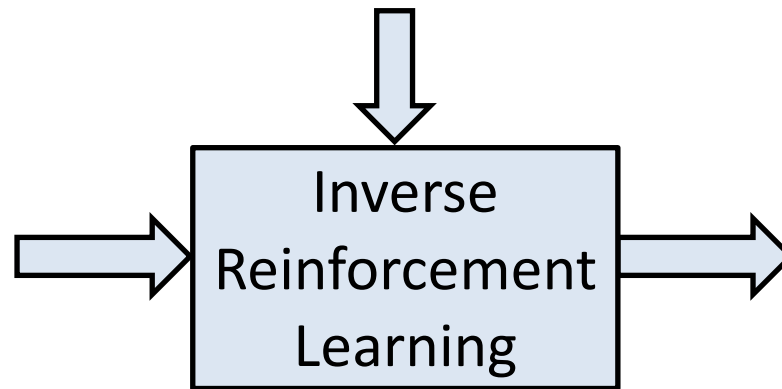
Communicating Using Demonstrations: Non-Markovian IRL



Environment Markov Decision Process



Noisy Expert
Demonstrations



Numerical Reward
Function

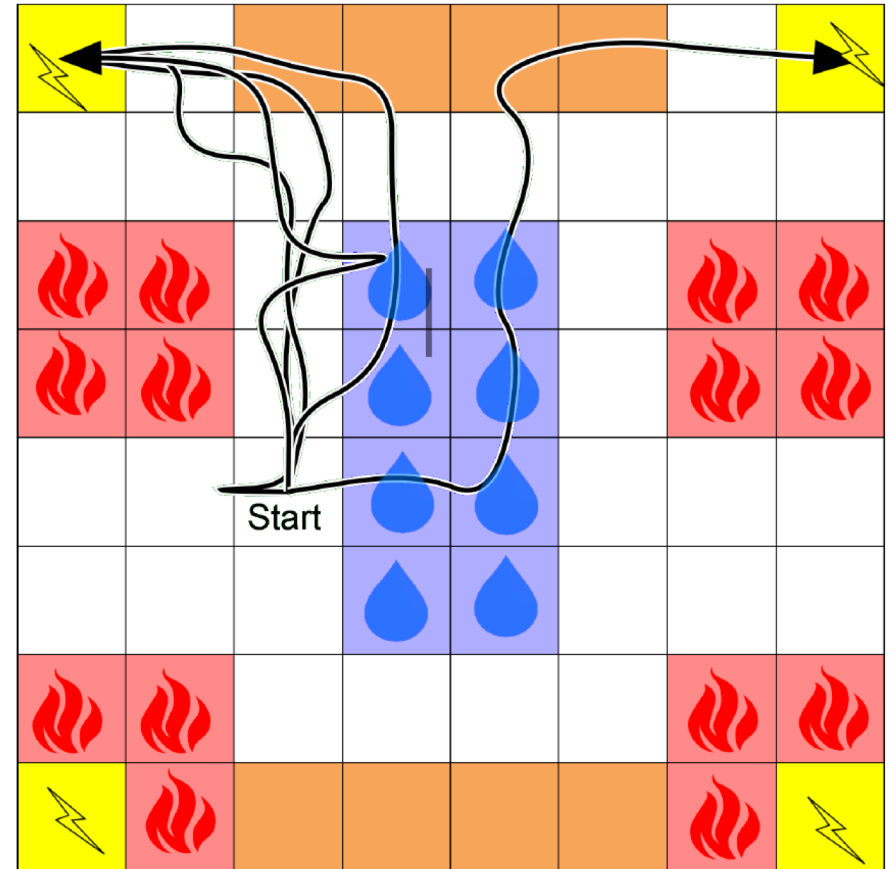
- Demonstrations and rewards are often non-Markovian due to mental state of the actor not directly modeled by environment MDP.
- Composability? , Resilience to changes in task context? Interpretability?

Communicating Using Demonstrations: More involved example

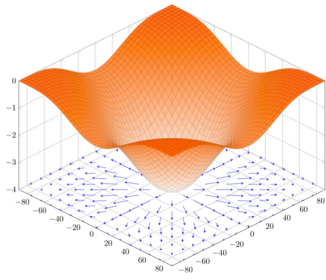
1. Avoid fire (red).
2. Eventually Recharge (yellow).
3. If you touch the water (blue) then dry off (brown) before recharging (yellow).

Explicit reduction to non-Markovean representation suffers from the curse of history.

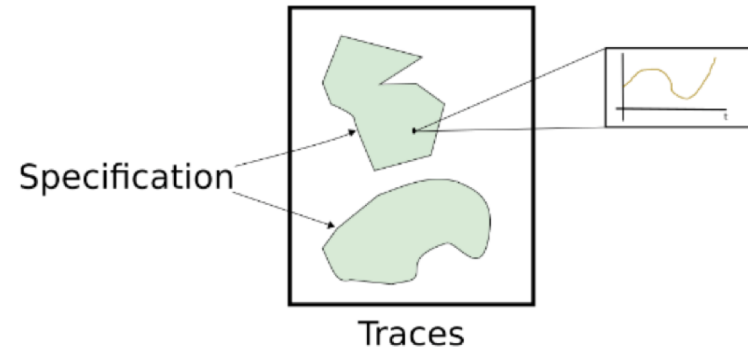
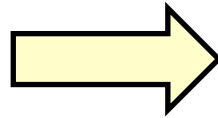
- a. $(4 \text{ colors})^{(10 \text{ time steps})} = 2^{20}$
traces ≈ 1048576
- b. $\# \text{specifications} = 2^{(2^{20})} \approx 10^{315652}$



Communicating Using Demonstrations: Temporal logic specifications

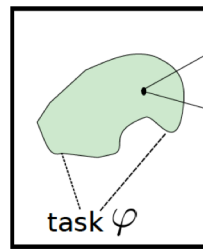


Numerical Reward Function



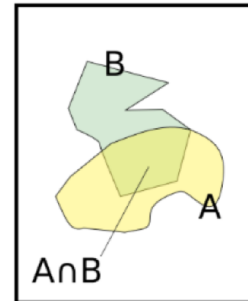
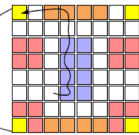
Trace Properties
as Task Specifications

$$r_{\varphi}(\xi) = \begin{cases} 1 & \text{if } \xi \in \varphi \\ 0 & \text{otherwise} \end{cases}$$

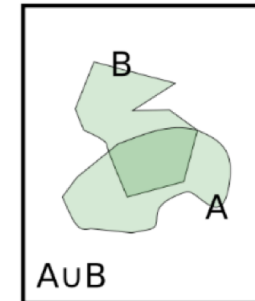


Traces

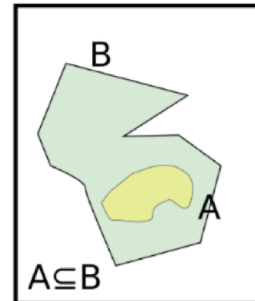
Demonstration



Traces



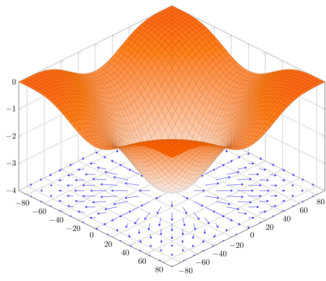
Traces



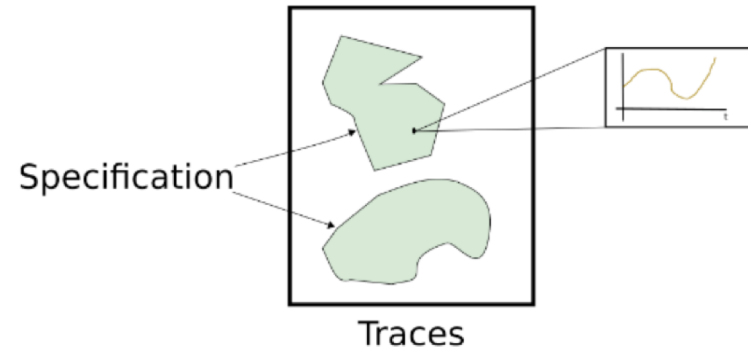
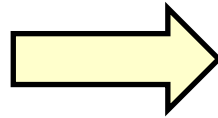
Traces

- Composable
- Resilient to changes in task context
- Interpretable
- Can leverage formal methods tools

Communicating Using Demonstrations: Temporal logic specifications

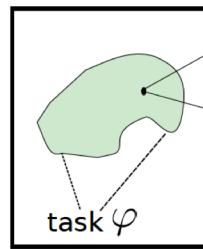


Numerical Reward Function



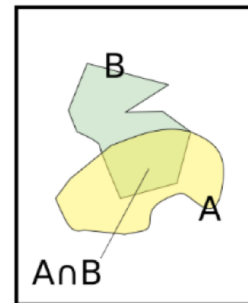
Trace Properties
as Task Specifications

$$r_{\varphi}(\xi) = \begin{cases} 1 & \text{if } \xi \in \varphi \\ 0 & \text{otherwise} \end{cases}$$

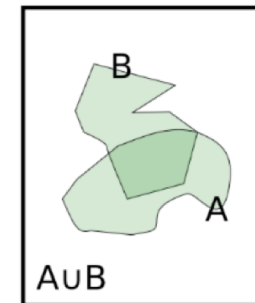


Traces

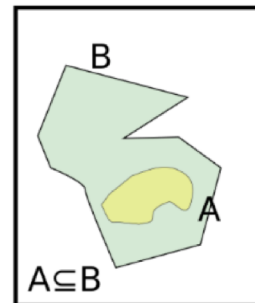
Demonstration



Traces



Traces

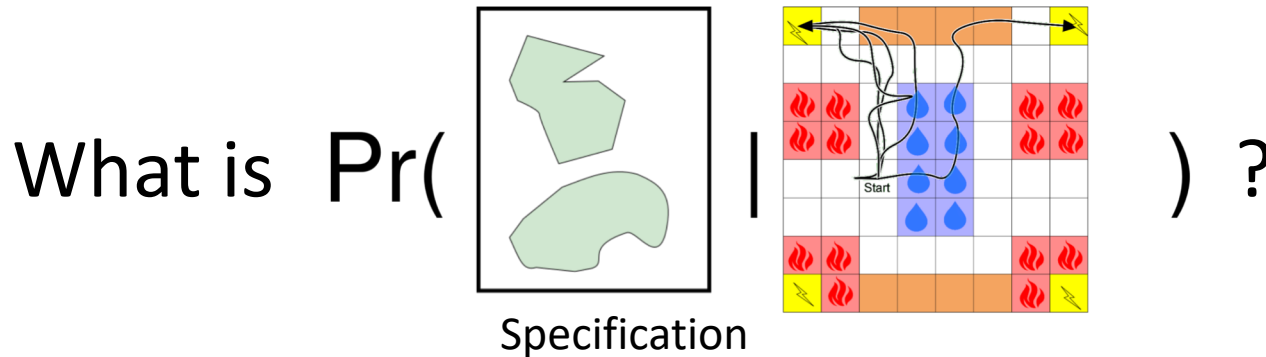


Traces

- Pnueli, Amir. "The temporal logic of programs." IEEE, 1977.
- Donzé, Alexandre, and Oded Maler. "Robust satisfaction of temporal logic over real-valued signals." *FORMATS*, 2010.
- Jha, Susmit, Vasumathi Raman, Dorsa Sadigh, and Sanjit A. Seshia. "Safe autonomy under perception uncertainty using chance-constrained temporal logic." *Journal of Automated Reasoning* 60, 2018.

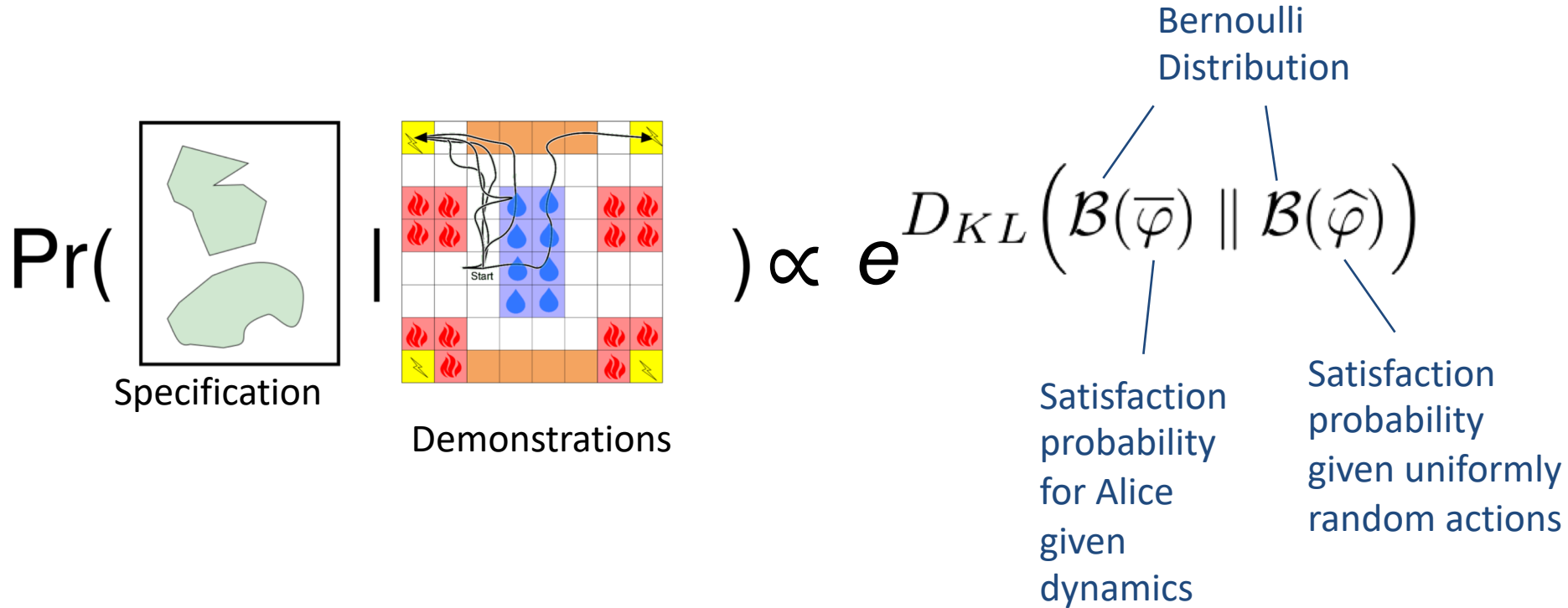
Communicating Using Demonstrations: Specification Inference Problem

Like most inverse problems, this problem is underspecified.



- Intent satisfaction is Boolean. Either Alice/Bob did the task or didn't.
- Assuming Alice is at least better at performing the task than a random action policy.
- Applying the principle of maximum entropy select the the distribution.
 - Inspired by [Maximum Entropy Principle](#) (also used in Inverse Reinforcement Learning)

Communicating Using Demonstrations: KL Divergence



Marcell Vazquez-Chanlatte, Susmit Jha , Ashish Tiwari, Mark K. Ho and Sanjit A. Seshia.
 Learning Task Specifications from Demonstrations. NeurIPS, 2018

Communicating Using Demonstrations:

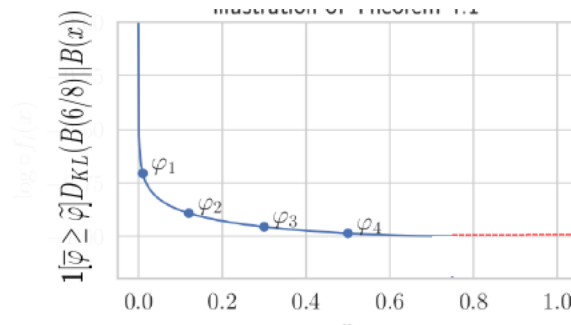
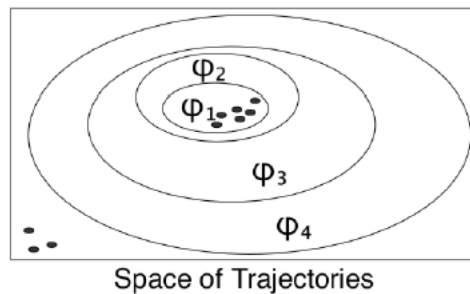
Computing posterior

Maximum a Posteriori

$$\max_{\varphi} D_{KL}(\mathcal{B}(\overline{\varphi}) \parallel \mathcal{B}(\hat{\varphi}))$$

Algorithm Sketch

If one fixes the measured sat probability, the KL-divergence term in the model is convex in the random satisfaction rate. This enables an efficient lattice based search for the most probable specification.



Marcell Vazquez-Chanlatte, Susmit Jha , Ashish Tiwari, Mark K. Ho and Sanjit A. Seshia.
Learning Task Specifications from Demonstrations. NeurIPS, 2018

Communicating Using Demonstrations: More involved example

1. Avoid fire (red).
2. Eventually Recharge (yellow).
3. If you touch the water (blue) then dry off (brown) before recharging (yellow).

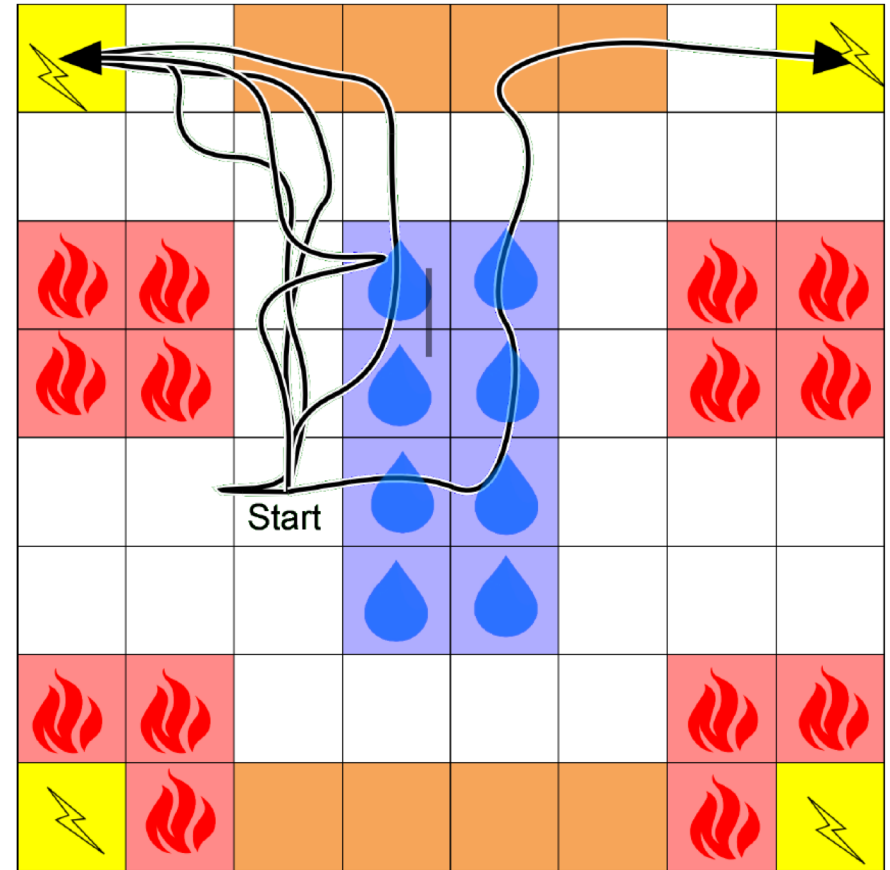
Temporal Logic Specification

H: Historically

O: Once

S: Since

$$(H \neg \text{red} \wedge O \text{ yellow}) \wedge H((\text{yellow} \wedge O \text{ blue}) \Rightarrow (\neg \text{blue} S \text{ brown}))$$



A Candidate Mechanism to Computationally Implement Shared Intentionality

Inferring and Conveying Intentionality: Beyond Numerical Rewards to Logical Intentions. Susmit Jha and John Rushby. AAAI Spring Symposium, Towards Conscious AI Systems, 2019



Marcell Chanlatte, Susmit Jha , Ashish Tiwari, Mark K. Ho and Sanjiv A. Seshia. Learning Task Specifications from Demonstrations. NeurIPS, 2018



Jha, Susmit et al. "Safe autonomy under perception uncertainty using chance-constrained temporal logic." *Journal of Automated Reasoning* 60, 2018

Find Specification as Maximum a Posteriori

$$\max_{\varphi} D_{KL} \left(\mathcal{B}(\overline{\varphi}) \parallel \mathcal{B}(\hat{\varphi}) \right)$$

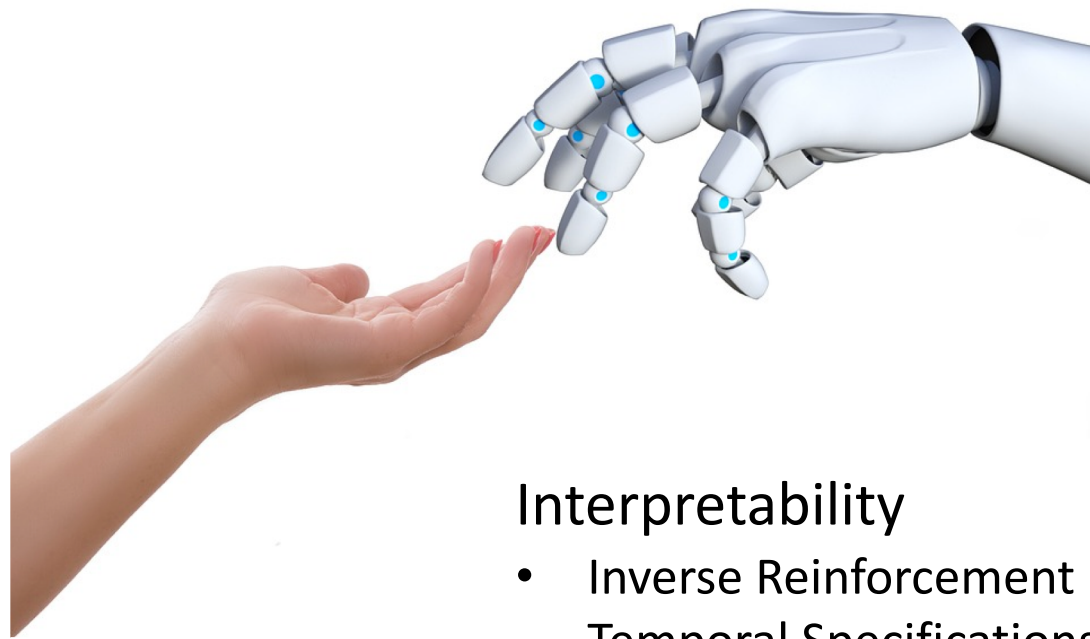
Interpretability / Explanation Generation in TRINITY

- **Inferring and Conveying Intentionality: Beyond Numerical Rewards to Logical Intentions.** Susmit Jha and John Rushby.
AAAI Spring Symposium, Towards Conscious AI Systems, 2019
- **Learning Task Specifications from Demonstrations.** Marcell Vazquez-Chanlatte, Susmit Jha, Ashish Tiwari, Mark K. Ho and Sanjit A. Seshia.
Neural Information Processing Systems (NeurIPS), 2018
- **Explaining AI Decisions Using Efficient Methods for Learning Sparse Boolean Formulae.** Susmit Jha, Tuhin Sahai, Vasumathi Raman, Alessandro Pinto and Michael Francis.
Journal of Automated Reasoning, 2018
- **On Learning Sparse Boolean Formulae For Explaining AI Decisions.** Susmit Jha, Vasumathi Raman, Alessandro Pinto, Tuhin Sahai, and Michael Francis.
NASA Formal Methods (NFM), 2017

Rest of the Talk

Trust

- Global Assume/Guarantee Contracts on DNNs
- Extracting and Integrating Temporal Logic into Learned Control



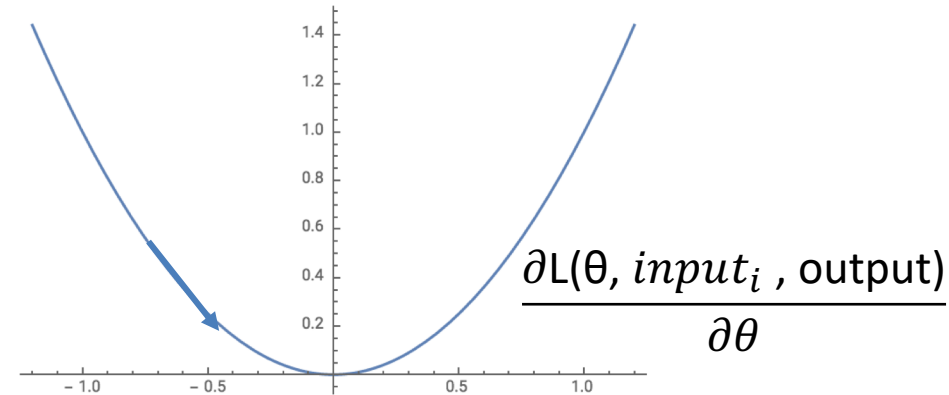
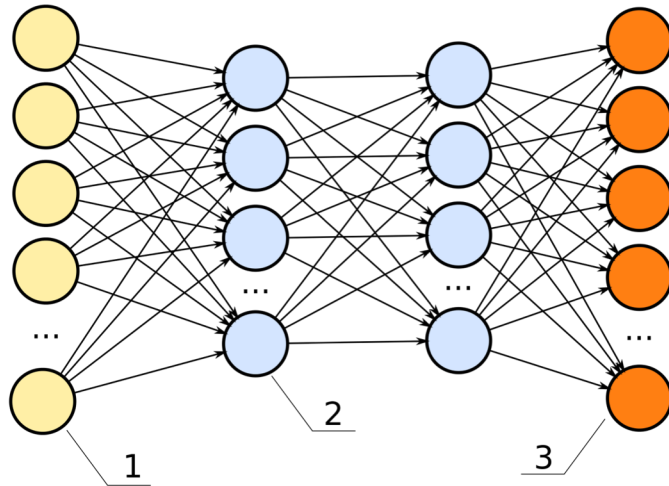
Interpretability

- Inverse Reinforcement Learning of Temporal Specifications

Resilience

- Adversarial Robustness

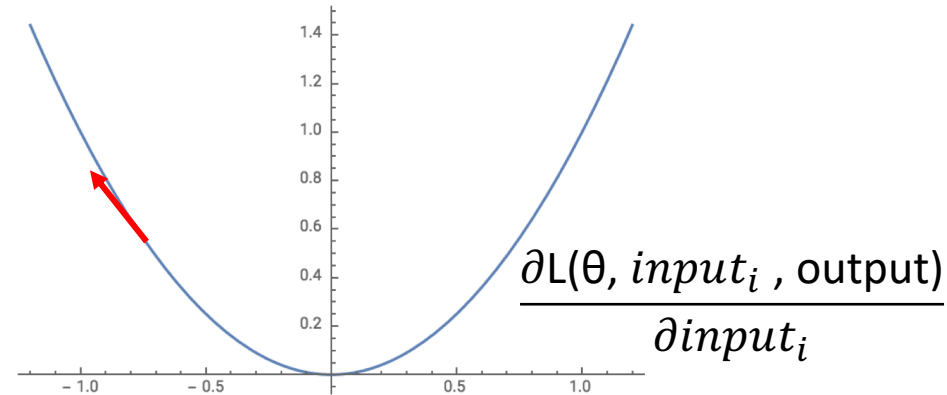
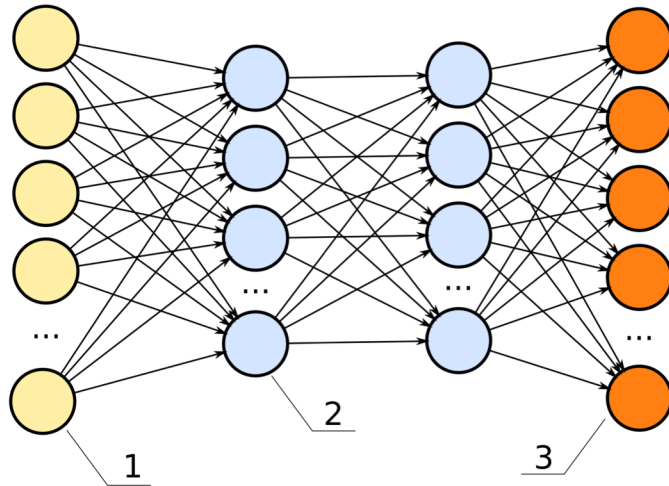
Adversarial Examples in Deep Learning



Loss function $L(\theta, input_i, output)$ with θ the parameters of the models. Measures how good the prediction of the model is on a specific example.

To train a neural network we compute the derivative of L according to the weights θ and update θ in order to **decrease** the loss value.

Adversarial Examples in Deep Learning

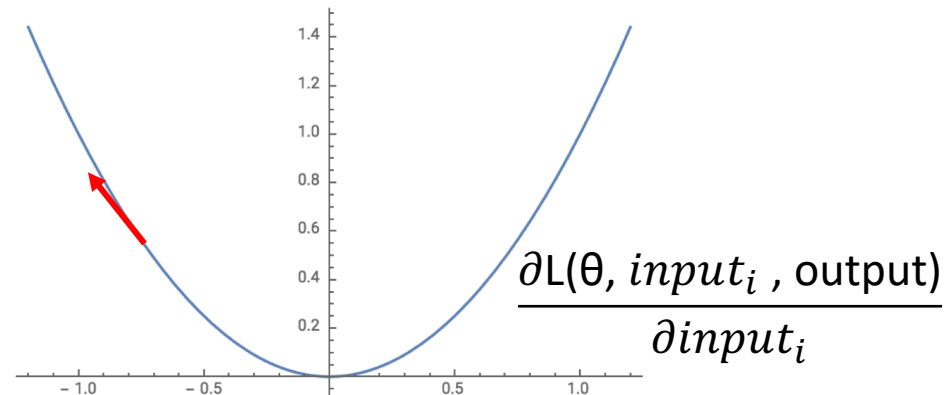
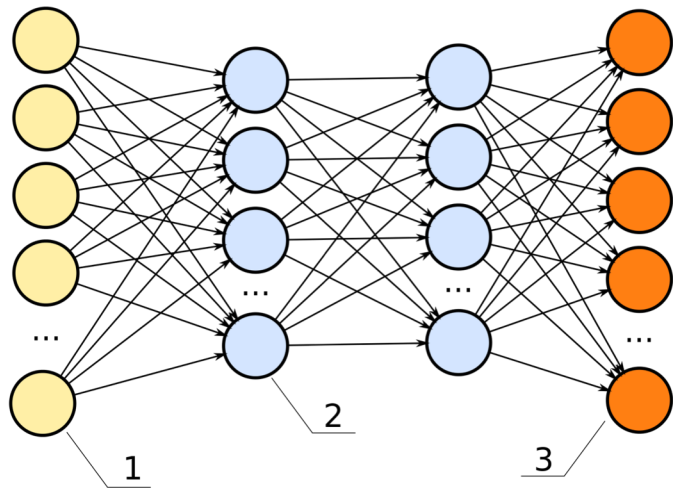


Loss function $L(\theta, input_i, output)$ with θ the parameters of the models. Measures how good the prediction of the model is on a specific example.

To train a neural network we compute the derivative of L according to the weights θ and update θ in order to **decrease** the loss value.

To create an adversarial sample, we compute the derivative of L according to the **input** and use the result to update the pixel values in order to **increase** the loss value.

Adversarial Examples in Deep Learning



Loss function $L(\theta, input_i, output)$ with θ the parameters of the models. Measures how good the prediction of the model is on a specific example.

To train a neural network we compute the derivative of L according to the weights θ and update θ in order to **decrease** the loss value.

$$input = input + \epsilon \operatorname{sign} \left(\frac{\partial L(\theta, input, output)}{\partial input} \right)$$

Fast Gradient Sign Method

Adversarial Defense by Irrelevant Factor Identification

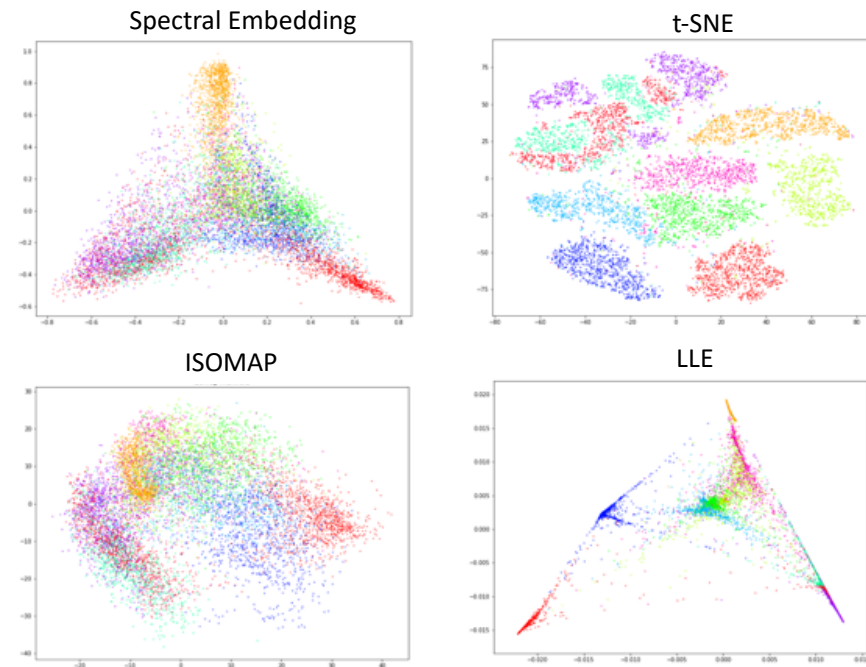
Causal Modeling

Attribution-driven Causal Analysis for Detection of Adversarial Examples. Susmit Jha et. al. SafeML/ICLR, 2019

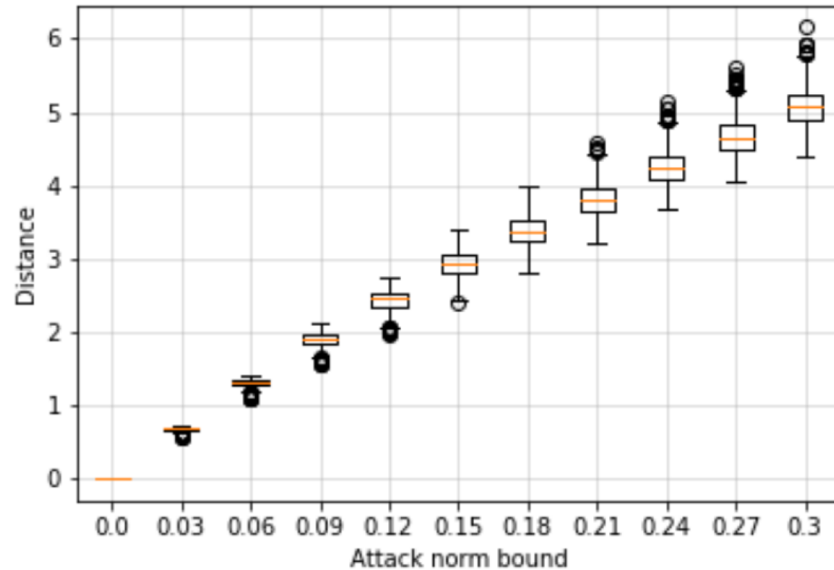
Geometric Invariants

Detecting Adversarial Examples Using Data Manifolds. Susmit Jha, Uyeong Jang, Somesh Jha and Brian Jalaian. IEEE Military Communications Conference (MILCOM), 2018

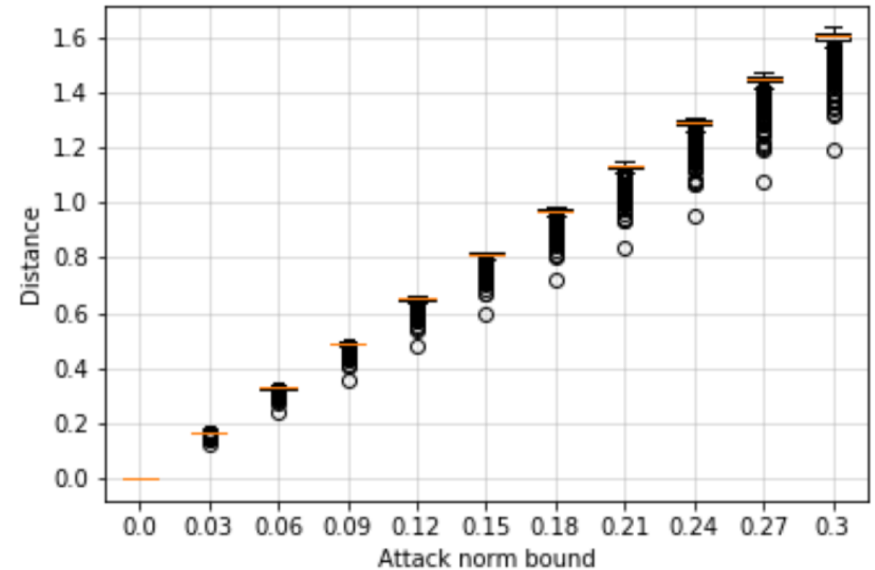
Manifold-based Robust Learning. Susmit Jha, Uyeong Jang, Somesh Jha and Brian Jalaian. NATO SET 262, 2018



MNIST and CFAR: FGSM Attack and Manifold Distance



MNIST



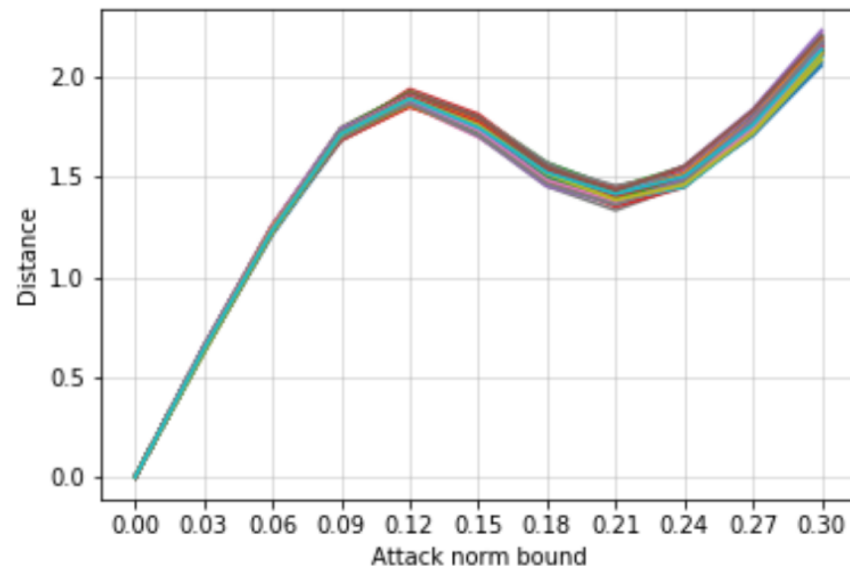
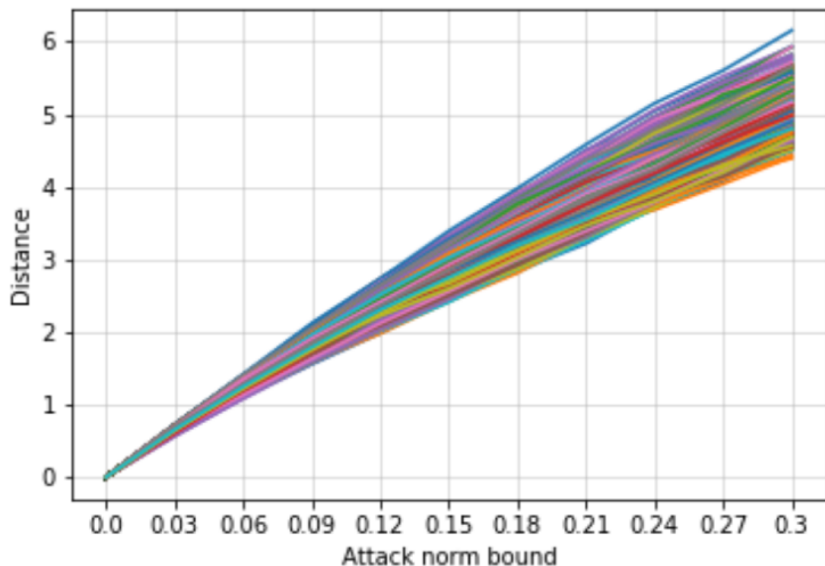
CFAR

Used CleverHans system for generating attacks.

Nicolas Papernot et. al.

$$\max_{||x^{adv} - x||_{\infty} \leq \epsilon} Loss(x^{adv}, l_x)$$

Manifold Distance in Input Space and Logit Space



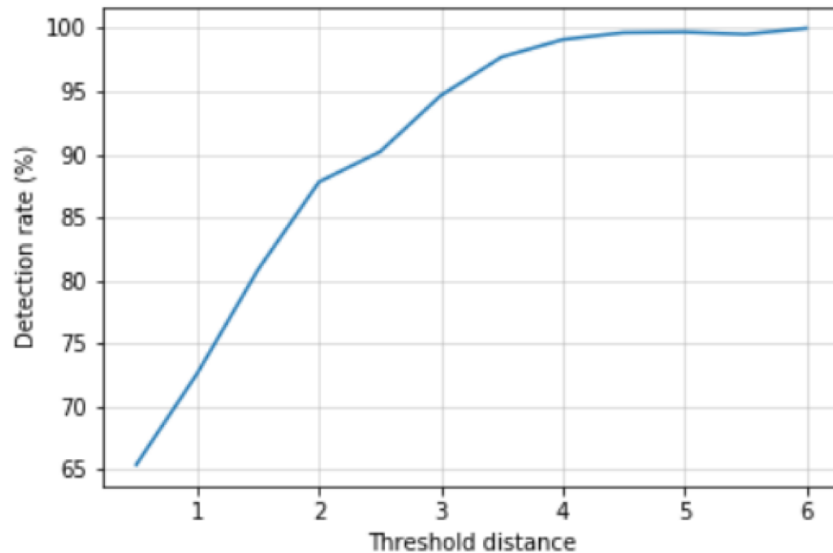
Hypothesized in literature that the deeper layers of a deep neural network provide more linear and unwrapped manifolds in comparison to the input space. Thus, the task of identifying the manifold becomes easier as we progress from the input space to the more abstract feature spaces all the way to the logit space.

Yoshua Bengio, Gregoire Mesnil, Yann Dauphin, and Salah Rifai. ' Better mixing via deep representations. In International Conference on Machine Learning, pages 552–560, 2013.

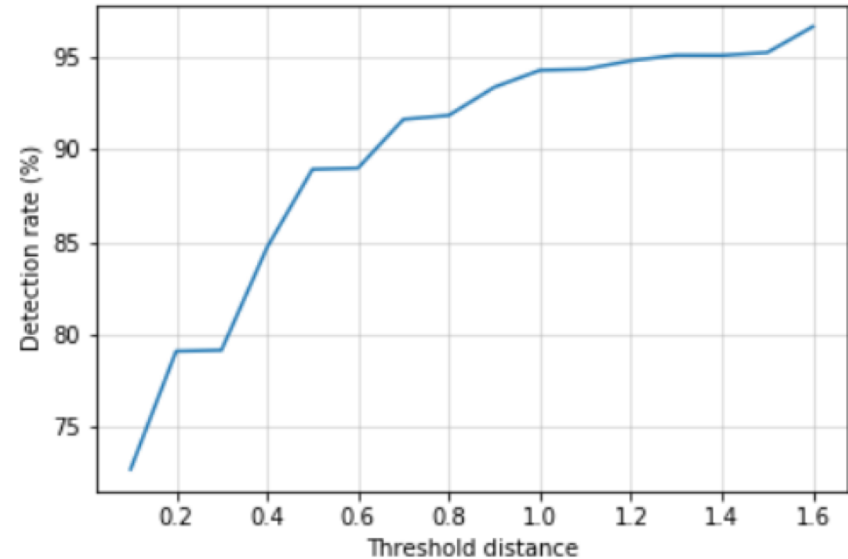
Jacob R Gardner, Paul Upchurch, Matt J Kusner, Yixuan Li, Kilian Q Weinberger, Kavita Bala, and John E Hopcroft. Deep manifold traversal: Changing labels with convolutional features. arXiv preprint arXiv:1511.06421, 2015

Detection Rate Using Manifold Distance

MNIST



CFAR



The kernel density estimation can be used to measure the distance $d(x)$ of x from the data manifold of training set. Specifically, $d(x) = \frac{1}{|X|} \sum_{\{x_i \in X\}} k(x_i, x)$, where X is the full data set and $k(\cdot, \cdot)$ is a kernel function such as Gaussian or a simple L^∞ or L^2 norm.

Thanks!

Questions?